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Published in:
Journal of Geotechnical and Geoenvironmental Engineering

DOI:
[10.1061/JGGEFK.GTENG-12331](https://doi.org/10.1061/JGGEFK.GTENG-12331)

Publication date:
2025

Document Version
Peer reviewed version

[Link to publication in Discovery Research Portal](#)

Citation for published version (APA):
Wang, W., Brown, M., Sharif, Y. U., Davidson, C., & Ciantia, M. O. (2025). Centrifuge Modeling of the Installation Advancement Ratio Effect on the Cyclic Response of a Single-Helix Screw Pile for Floating Offshore Wind. *Journal of Geotechnical and Geoenvironmental Engineering*, 151(1), Article 04024133. <https://doi.org/10.1061/JGGEFK.GTENG-12331>

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1 Centrifuge modelling of the installation advancement ratio effect on the cyclic 2 response of a single-helix screw pile for floating offshore wind

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32 Abstract

33 Upscaled screw piles have been proposed as anchors for offshore floating wind applications, but this upscaling can result
34 in a significant increase in vertical installation forces. Previous studies have shown that the use of over-flighting techniques
35 during installation (installation advancement ratio, $AR < 1.0$) can reduce or eliminate these forces and improve the capacity
36 and stiffness of screw piles under monotonic tensile loading conditions. However, the impact of over-flighting installation
37 on the cyclic response of screw piles has not received adequate attention. To address this, a series of drained cyclic uplift
38 tests in a geotechnical centrifuge were conducted. The tests involved different AR values during installation and varying
39 one-way cyclic tensile loading amplitudes. The results revealed that reducing the installation AR can significantly decrease
40 displacement accumulation and improve cyclic loading stiffness, resulting in a more stable cyclic response. The cyclic
41 axial loading stiffness tends to stabilize or slightly decrease with cycling for stable cases, whilst unstable and meta-stable

42 cases exhibit an initial reduction of loading stiffness followed by a stabilization or slow recovery. The post-cyclic
43 monotonic uplift tests also show that capacity degradation was predominately due to the displacement accumulation itself
44 rather than any additional cyclic effects. The cyclic stability of the screw pile investigated was found to be comparable
45 with straight-shafted and screw piles from previous studies and beneficial installation effects were maintained under cyclic
46 loading. A predictive framework for displacement accumulation and capacity degradation is also presented and developed
47 within this paper.

48 **Author keywords:** screw pile; helical anchor; cyclic loading; installation effect

49 **Introduction**

50 Screw piles (also referred as to helical piles) consist of one or several helices connected to a central straight shaft or core
51 (Perko 2009) and are typically installed by applying torque and vertical (crowd) force simultaneously at the pile head.
52 Screw piles have been widely used onshore (Cerato and Victor 2014; Lutenegger 2011; Schiavon et al. 2019b) and have
53 been suggested as an innovative solution for foundations/anchors for offshore wind turbines (Cerfontaine et al. 2023b;
54 Davidson et al. 2022; Spagnoli and Tsuha 2020). Compared to driven straight shafted piles, screw piles have three main
55 advantages. Firstly, the bearing mechanism formed due to the helix potentially leads to improved tensile/compressive
56 capacity compared to straight shaft piles with the same shaft diameters (Cerfontaine et al. 2021b). Secondly, the rotational
57 installation is more environmentally friendly as it can reduce noise and vibration which is considered potentially
58 detrimental to marine animals (Herbert-Read et al. 2017). Finally, screw piles have the potential to be decommissioned by
59 reverse rotation (Ding et al. 2019).

60 Based on rotation speed and vertical penetration rates, the installation of screw piles can be described using the term
61 advancement ratio (AR) (Sharif et al. 2021a), which is defined as the ratio of the vertical penetration per rotation to the
62 helix pitch:

$$AR = \frac{\Delta_z}{p_h} \quad 1$$

63 where Δ_z is the vertical displacement per rotation and p_h is the pitch of the helical plate i.e. the vertical distance between
64 the top and the bottom of a single helix (see Figure 1). Current standards e.g. BS8004 (British Standards Institution 2015)
65 recommend that, for optimized in-service performance, a pitch-matched installation (AR=1) should be employed with a

66 tolerance of ± 0.15 to minimize the ‘disturbance’ of the in-situ soil as ‘disturbance’ is typically considered to be detrimental
67 to pile performance.

68 To enable offshore application for wind energy, screw piles need to be upscaled over and above the sizes typically used
69 onshore. Davidson et al. (2022) suggested that the typical helix diameter ranging from 150 to 600 mm onshore (Perko 2009)
70 may need to increase to over 3 m for offshore use to replace single driven piles in fixed wind turbine jacket structures. This
71 upscaling, however, may lead to prohibitively high vertical installation force of up to tens of MN, if pitch-matched
72 installation is used. Fortunately, recent studies in sand have shown that over-flighting ($AR < 1.0$) during installation has
73 the potential to reduce the required vertical installation force and, contrary to the published guidance, may improve the in-
74 service tensile response, although probably at the expense of compressive performance (Cerfontaine et al. 2022;
75 Cerfontaine et al. 2021a; Sharif et al. 2021a). This phenomenon makes over-flighted screw piles attractive for use as
76 anchors in sand for floating wind where tensile loads predominate. However, the improved tensile capacity due to over-
77 flighted installation has only been observed in sand to date and further verification for other soil conditions e.g. clay is
78 required (Ullah et al. 2023).

79 Figure 1 illustrates how the state of the soil around the screw pile changes during pitch-matched and over-flighted
80 installation in sand. The pitch-match installation (Figure 1a) theoretically causes least displacements of soil particles around
81 the pile, but previous studies using DEM (Cerfontaine et al. 2021a; Sharif et al. 2021a) and experiments with image-based
82 technologies (such as Schiavon (2016) who 3D scanned the soil bed after the installation of a screw pile) have shown that
83 soil within a radial distance of two helix diameters (D_h) from the pile is significantly loosened when the helix penetrates
84 through it. This loosening results in a reduction of relative density (D_r) and average effective stress (σ_p') of the soil above
85 the helix. In addition, Figure 1(a) shows that, similar to pushing in a straight-shafted pile, a zone with increased D_r and σ_p'
86 is generated below the helix and pile tip (Zhang and Wang 2015). In contrast, as shown in Figure 1(b), by over-flighting
87 (same pile head penetration rate but greater rotation rate), similar to a screw conveyor or Archimedes screw, the helix picks
88 up particles and displaces them upward. This installation approach does ‘disturb’ or displace the surrounding soil more but
89 leads to densification and stress increase of the soil above the helix (Cerfontaine et al. 2023a; Sharif et al. 2021a). This
90 process can partially recover the degradation of soil due to the helix penetration and may even improve the soil above the
91 helix compared to the virgin conditions before pile installation. However, upward soil movement through the helix due to
92 over-flighting installation can reduce D_r and σ_p' of the zone below the helix. From a mechanical point of view, it is the
93 increase of stress in the soil above the helix combined with the decrease of the stress in the soil below the helix that results
94 in a reduction of compressive resistance during installation. Therefore, less installation vertical force is required for over-

95 flighting installation than pitch-matched installation. In terms of in-service tensile performance, both the shaft and helix
96 component can be improved by over-flighting. For the helix response, the greater tendency of dilation associated with
97 increased relative density, D_r , leads to a wider failure mechanism at the soil surface (Sharif et al. 2021a) and the increased
98 normal stress on the failure surface enhances the unit friction resistance (Cerfontaine et al. 2019). Furthermore, the
99 increased D_r , along with the enhanced radial stress around pile shaft can improve the shaft response. However, the effects
100 of installation AR have not been considered in any design methods to date.

101 Offshore foundations/anchors also need to be able to perform under cyclic loading from wind, waves and loads induced by
102 the operation of the specific structural application. Therefore, any cyclic loading induced displacement accumulation and
103 capacity evolution is a concern for design and application in offshore renewable energy anchoring applications. Cyclic
104 tensile response of (straight shafted) driven piles for offshore wind has been widely reported and it has been suggested that
105 the pile response to cyclic loading depends on multiple factors e.g. loading scenarios (cycle number N , loading amplitude
106 Q_{cyc} and mean loading Q_{mean}) (Puech and Garnier 2017). For straight-shafted piles, there are many studies that have
107 revealed that high amplitude axial force cycles can cause considerable reduction of capacity and loading stiffness at the
108 pile shaft-soil interface, as well as permanent pile displacement, due to the pile shaft-soil interface contraction with
109 increasing cycle numbers. As well as the magnitude of cyclic loading, the cyclic behavior has also been shown to be
110 affected by pile geometry and ground conditions (Mortara et al. 2007; Rimoy et al. 2022). For example, pile shaft - sand
111 interface element tests undertaken by Mortara et al. (2004) showed that higher initial normal stress led to lower shaft
112 capacity degradation rates. Poulos (1989) and Puech and Garnier (2017) suggested that displacement piles, where enhanced
113 stresses is created as a result of the mode of installation, are more stable than non-displacement piles in sand. These
114 observations on straight-shafted piles imply that the enhanced radial stress around the shaft of a screw pile due to over-
115 flighting (Sharif et al. 2021a) may also improve the cyclic stability. The cyclic end bearing performance of a solid pile in
116 compression could be assumed as an analogue to some elements of the helix behavior. For example, for closed ended
117 straight shafted piles the end resistance tends to reduce with fixed-amplitude displacement cycles due to a gap created
118 between the pile end and soil below (Galvis-Castro et al. 2023; Le Kouby et al. 2004). Whilst in force-controlled regimes
119 it has been found that the end bearing resistance component tends to increase due to a reduction in the shaft resistance as
120 mentioned above to achieve a constant target total force (Le Kouby et al. 2004), although cyclic performance is likely to
121 be dominated by the pile shaft as would be expected based upon the differences in stiffness and mobilization behavior
122 between shaft and end bearing (or helix in this case) (Fleming et al. 2009). In terms of a screw pile this may suggest that
123 under cyclic force loading regimes there will be load transition from the shaft to the helix.

124 In contrast to straight-shafted piles, only a limited number of studies have evaluated cyclic performance of screw piles. For
125 example, Newgard et al. (2015) performed 1g experiments on model single-helix screw piles (helix diameter $D_h > 152$ mm)
126 at shallow installation depths ($H/D_h = 3.0$ to 5.5 , where H is helix embedment depth ranging from 460 mm to 840 mm) in
127 saturated medium dense sand. Schiavon et al. (2019a) undertook centrifuge tests on single helix screw piles installed in
128 very dense sand ($D_r \approx 99\%$) at a greater depth ($H/D_h = 7.4$, $D_h = 330$ mm and $H = 2440$ mm at prototype scale). Both
129 studies concluded that higher cyclic amplitudes Q_{cyc} lead to greater displacement accumulation rates. Hao et al. (2022)
130 undertook 1g experiments on small model single-helix screw piles ($D_h = 50$ mm) deeply embedded ($H/D_h = 12$). They
131 suggested significant increase of axial loading stiffness for the first or first tens of cycles if the accumulated pile uplift
132 displacement (d_{za}) did not exceed $0.1D_h$ within 100 cycles. In addition, they showed that the post-cyclic tensile capacity
133 $Q_{t_postcyc}$ fluctuated between 85% and 110% of pre-cyclic tensile capacity Q_t as long as d_{za} remained lower than
134 approximately $0.12 D_h$. However, with further displacement accumulation, $Q_{t_postcyc}$ tended to decrease. Similar
135 observations regarding loading stiffness and post-cyclic capacity were also made by Schiavon et al. (2019a). These studies
136 focused on smaller onshore piles and only pitch matched installation (or did not address the control of installation) was
137 investigated.

138 The effects of advancement ratio on cyclic performance have also received some limited attention. Wang et al. (2021)
139 numerically investigated cyclic performance of a screw pile installed in sand ($D_r = 52\%$) at varying AR using discrete
140 element modelling (DEM). The results suggested that installing screw piles at lower AR values (0.5 and 0.25) can reduce
141 displacement accumulation caused by one-way cyclic tensile loading compared to pitch-matched installation (AR = 1.0).
142 Wang et al. (2023b) conducted limited centrifuge experiments to validate the reduction in cyclic displacement accumulation
143 due to over-fighting. In these experiments, the piles were subjected to $Q_{cyc} = Q_{mean} = 28.6\%$ of tensile capacity Q_t at AR
144 = 1.0. The pile installed at AR = 1.0 only required 8 cycles to reach an accumulated displacement of $d_{za} = 0.1D_h$, while
145 the pile installed at AR = 0.25 required 900 cycles to reach the same displacement.

146 As Wang et al. (2023b) only investigated a certain absolute magnitude of cyclic loading when varying AR it remains
147 unclear if the observed improvement in cyclic response was only related to the improved tensile capacity or over-fighting
148 affects the resulting mechanisms under cyclic loading. Therefore, additional studies are required to address the dearth of
149 information with respect to screw pile cyclic performance and installation effects and to demonstrate this piling technology
150 and how it can be optimized for field deployment. To give more confidence in the beneficial effects of over-fighting on
151 cyclic and post-cyclic performance, a series of drained centrifuge tests were used to study the cyclic response of a single-
152 helix screw pile, which was installed at AR varying from 0.25 to 1.0 in dry medium-dense sand. The overall cyclic response

153 was investigated in terms of accumulated uplift displacement, loading stiffness, and post-cyclic capacity. Cyclic stability
154 is also discussed with respect to the performance of straight shafted piles and smaller diameter screw piles typically used
155 in onshore practice. Initial prediction frameworks for accumulated displacement and capacity loss induced by cyclic
156 loading are proposed as part of this study.

157 **Methodology**

158 *Centrifuge Setup*

159 Pile testing was conducted in a strong box filled with dry sand on the University of Dundee's 3m radius geotechnical beam
160 centrifuge. The aim of this study was to model drained behavior of piles in high permeability soil (i.e., no excess pore
161 pressure development around the pile during installation or loading). Therefore, these experiments were conducted in dry
162 sand. Effective stress at 80g conditions in saturated sand was simulated by operating the centrifuge at 50g in dry sand, so
163 the dimensional scaling factor in this study was set at 80 (Davidson et al. 2022; Li et al. 2010). This approach is explained
164 in more detail as per Li et al. (2010) where in saturated sand, the effective vertical stress of soil is expressed as:

$$\sigma'_v = \rho' g_{sat} z \quad 2$$

165 where g_{sat} is the acceleration in a centrifuge test in saturated sand e.g. $g_{sat} = 80g$; ρ' is the buoyant density of the saturated
166 sand (1013 kg/m^3) and z is the depth of the soil in an 1/80 scale model. To achieve the equivalent soil conditions, the
167 vertical stress of dry sand expressed in Eq. 2 should be equal to the effective vertical stress of saturated sand in Eq. 3:

$$\sigma'_v = \rho_d g_d z \quad 3$$

168 where g_d is the acceleration to be imposed in a centrifuge test on dry sand; ρ_d = the dry density of the sand (1631 kg/m^3),
169 and z = the depth of soil in scale model. Thus, the g_d value is 50g, obtained by equation 3:

$$g_d = \frac{\rho'}{\rho_d} \cdot g_{sat} = 50g \quad 4$$

170 This approach was further validated and adopted by Klinkvort and Hededal (2013) who undertook centrifuge testing of
171 monopiles in both dry and saturated soil beds and report virtually no difference between the two approaches to testing.

172 Since the installation effect is the focus of this study, ensuring the correct post-installation stress field is a major concern
173 for correct modelling. Previous centrifuge studies considered wished-in-place (WIP) piles (Hao et al. 2019) where
174 installation effects were not accounted for. Installation of piles at 1g and then loading the pile in-flight in the centrifuge
175 has also been adopted e.g. Rafsanjani et al. (2021), but this leads to a significantly “softer” in-service loading response and
176 reduced capacity (Al-Baghdadi 2018; Ko et al. 1984) as insertion occurs under very different stress conditions. To create
177 a realistic post-installation stress field and maintain this during load testing, installation and loading were undertaken in
178 one continuous centrifuge operation (inflight) using a purpose built two axis actuator controlled by two servo-motors which
179 precisely control the rotational and vertical displacement of the model piles. During installation and loading events both
180 forces and torques were continuously measured by a combined axial force – torque load cell (F310-Z, Novatech
181 Measurements Ltd.) rigidly connected to the pile head. The load cell was capable of measuring torque to ± 30 Nm and axial
182 force to ± 20 N. More details of the actuator can be found elsewhere (Davidson et al. 2018; Wang et al. 2023b).

183 *Soil Bed Preparation*

184 Medium-dense soil beds ($D_r \approx 50\%$, 434 mm deep) were created by dry pluviation of HST95 sand (Lauder 2010) in a 500
185 mm \times 800 mm \times 550 mm strong box used for the tests. HST95 sand is a fine-grained quartz sand that has been extensively
186 used and characterized at the University of Dundee for laboratory testing. Properties of HST95 sand are given in Table 1.
187 The soil beds were created by dry pluviation using a slot pluviator (Ueno 1998). The pluviator was automated and designed
188 to move back and forth at a constant speed on rails with the pluviator set 1.5 m above the bottom of the strong box and 1.1
189 m above the final soil surface. The slot width of 4.5 mm and pluviator sweeping speed of 160 mm/s were adopted to achieve
190 the target $D_r = 50\%$ based upon previous calibration studies. The soil density was checked by means of density pots
191 installed during pluviation and recovered after testing for verification. The sand was pluviated to slightly above the target
192 height, and then the sand surface was carefully levelled near surface only.

193 *Pile Model*

194 The steel screw pile used comprised of a solid core with 11 mm diameter (D_s), a 21.25 mm diameter helical plate (D_h) and
195 7 mm helix pitch (p_h) (model scale) (Figure 2). The solid pile core (shaft) was adopted to avoid structural failure and to
196 simulate an assumed worst-case scenario of the pile plugging during installation. The helix plate thickness was set at 1.4
197 mm as a compromise between true scaling and structural integrity. This pile geometry has been widely used as a benchmark
198 for AR effects studies at the University of Dundee (Cerfontaine et al. 2023a; Cerfontaine et al. 2021a; Davidson et al. 2022;
199 Sharif et al. 2021a; Sharif et al. 2021b). Using a single helix pile minimizes torque requirements for installation and enables

200 a preliminary understanding of AR effects on cyclic performance to be obtained without potentially complicated interaction
201 between helices occurring during installation and loading tests (Wang et al. 2023a). The pile installation depth was $L = 160$
202 mm, resulting in helix embedment depth of $H = 7.4D_h$ which corresponded a shallow mechanism in uplift but was close to
203 the transition from a shallow to a deep failure mechanism (Cerfontaine et al. 2019).

204 The ratio of pile shaft diameter to mean sand particle diameter D_s/d_{50} was 57, which is larger than recommendation of 44
205 for straight-shafted piles (Garnier et al. 2007). The ratio of effective helix width $((D_h - D_s) / 2)$ to d_{50} was 36, which is also
206 higher than recommendation of 16 for screw piles (Rafsanjani et al. 2021; Schiavon et al. 2016).

207 Two tests were conducted in each box. After the first test, the centrifuge was spun down followed by the pile removal at a
208 constant velocity of 50 mm/min (at 1g). Then the actuator was repositioned manually, before centrifuge spin up for the
209 second test. The shortest distance from the pile to the box boundary was 250 mm ($11.8D_h$) and the distance between the
210 two installation positions was 300 mm ($14.1D_h$), which were chosen to avoid boundary or pile interaction effects (Bolton
211 et al. 1999).

212 ***Pile Installation***

213 After spinning up to 50g, the force and torque values induced by the pile self-weight were set to zero (Figure 3a and b).
214 This was then followed by pile installation at a constant rotation rate (3 revs/min) and a constant vertical velocity was
215 chosen to impose the desired AR. Once the pile helix reached the target depth, the vertical and rotational movements were
216 stopped simultaneously. Then the applied torque was released, which in turn modified the vertical force measured at the
217 end of the installation. Rotation of the pile was then fixed again, and subsequent loading tests were conducted.

218 The pile was installed at AR=1.0, 0.5 and 0.25 to cover a broad range of AR and cover the critical AR and pitch matched
219 situation. AR = 1.0 corresponded to conventional pitch-matched installation. Assuming the soil is incompressible and based
220 upon the condition where the pile shaft (core) penetration volume is equal to soil volume displaced upwards by the helix
221 (Viggiani 1989), Cerfontaine et al. (2023a) proposed a critical AR value (AR_{cr} , Eq. 5) :

$$AR_{cr} = \left[1 - \left(\frac{D_s}{D_h} \right)^2 \right] \left(1 - \frac{t_h}{p_h} \right) \quad 5$$

222 The AR_{cr} calculated for the pile in this study is 0.64 which suggests that at an AR = 0.5 the pile would be able to create
223 tensile forces during installation and will be able to effectively pull itself into the ground creating minimal crowd force
224 requirements.

225 **Loading Tests**

226 To determine the original monotonic tensile capacity of the pile before subjecting it to cyclic loading Q_t , monotonic tests
227 were conducted on the pile installed at varying AR values, where the pile was monotonically uplifted to a maximum
228 displacement of $40\%D_h$ (8.5mm) at a constant velocity of 1 mm/s (Figure 3a).

229 To apply the vertical tensile cyclic loading to the screw pile (Figure 3b), a proportional-integral-derivative (PID) controller
230 was used. More details of the PID system can be found elsewhere (Wang et al. 2023b). For the pile loaded cyclically
231 (Figure 4), the applied cyclic loading in this study was force controlled and followed a sinusoidal wave form with a period
232 of 10s. As the target application is offshore floating wind applications, only tensile one-way loading regimes were
233 investigated. For simplification, the amplitudes Q_{cyc} of all loading regimes studied were equivalent to the mean value of
234 loading Q_{mean} hence minimum loading $Q_{min} = 0$ (Figure 4). After the cyclic loading phase, a monotonic pullout test, to
235 determine the post-cyclic capacity $Q_{t_postcyc}$, was performed using the same procedure used to determine Q_t as illustrated
236 in Figure 3b.

237 **Cyclic Stability Criteria and Testing Program**

238 Jardine and Standing (2012) summarized the ICP (Imperial College Pile) field tests on straight shafted piles and
239 characterized the overall cyclic response of piles using cyclic interaction diagrams (also referred to as cyclic stability
240 diagrams). Similar to Jardine and Standing (2012) and Schiavon (2016), the current study defines the three modes of overall
241 cyclic response as:

- 242 I) Unstable (US): pile head accumulated displacement d_{za} (see Figure 5) increases rapidly and reaches an
243 ultimate displacement of $10\%D_h$ within 100 cycles.
- 244 II) Stable (S): pile sustained at least 1000 cycles, displaced by less than ultimate displacement of $10\%D_h$ at rates
245 no more than $\Delta d_{za} = 0.003\%D_h$ (see Figure 5), without noticeable loss in tensile capacity.
- 246 III) Meta-stable (MS): pile head displacement accumulates to $10\%D_h$ in 100 to 1000 cycles at rates no more than
247 $\Delta d_{za} = 0.03\%D_h$.

248 Table 2 summarizes loading regimes and main results of all the cases studied. In the pile identification nomenclature, letter
249 'C' and 'M' indicate monotonic and cyclic loading tests respectively, followed by value of installation AR and where
250 relevant the loading amplitude in MN at prototype scale if it was a cyclic test. Three AR values were investigated, and a
251 single monotonic test was conducted at each AR value to determine the monotonic (M) tensile response (M1.0, M0.5 and
252 M0.25). Cyclic (C) tests C1.0-1.6, C0.5-1.6 and C0.25-1.6 had an equal absolute loading amplitude Q_{cyc} of 1.6 MN (21.2%

253 to 28.6% normalized by monotonic capacity Q_t), which was adopted based upon previous centrifuge tests and DEM
254 simulations (Wang et al. 2021; Wang et al. 2023b) as it led to unstable behavior of screw piles installed at AR = 1.0 and
255 meta-stable behavior of AR = 0.5 and 0.25, for the specific pile geometry and ground conditions studied. Since the variation
256 of AR creates different monotonic capacity, C0.5-1.92 and C0.25-2.17 had loading amplitudes of 1.92 MN and 2.17 MN,
257 respectively, to match the equal normalized loading amplitude of $Q_{cyc} = 28.6\% Q_t$ adopted in the pitch-matched case C1.0-
258 1.6. Tests C1.0-0.77, C0.5-0.88, C0.25-1.03 and C1.0-0.39 with lower $Q_{cyc} = 13.5\% Q_t$, were designed to observe stable
259 behavior. As C1.0-1.6 exhibited an unstable behavior, a pitch-matched case with even lower $Q_{cyc} = 6.7\% Q_t$ (C1.0-0.39)
260 was added. As suggested by Zheng et al. (2019) the larger Q_{cyc} (20% ~ 30% Q_t) tends to represent design storm conditions,
261 whilst the lower Q_{cyc} (6.7%~13.5% Q_t) would correspond to normal wave conditions for a straight shafted pile. Except for
262 test C1.0-0.77, in which the pile was pulled out as the pile capacity dropped to below the applied loading and head
263 accumulated displacement d_{za} reached $0.4D_h$ at the end of cycling, the remaining cases were stopped once d_{za} reached
264 the ultimate value of $0.1D_h$ or the cycle number N reached 1000.

265 **Results and Discussion**

266 *Installation and Monotonic Uplift Tests*

267 Figure 6(a) shows a noticeable reduction in vertical installation force required as AR decreases. By reducing AR from 1.0
268 to 0.25, the input vertical force at the end of the installation decreased from 8.3 MN to – 2.9 MN, indicating that the pile
269 was in tension and that the motor did not push the pile down but instead needed to resist the downward pull-in force from
270 the pile to maintain the installation velocity. Whilst for AR = 0.5 the nearly net zero force throughout installation suggests
271 that the pile was neither in tension nor compression. This is close to a condition where the pile is rotating itself into ground
272 with torque input under its own self-weight where this value is close to the critical value predicted by Eq. 5.

273 In terms of magnitude, installation torque (Figure 6b) varied less with AR but the over-flighting had an impact on the shape
274 of the of torque-installation depth relationship. For the pitch-matched case (AR = 1.0), torque linearly increased with depth.
275 However, reducing AR resulted in non-linear relationship between torque and depth, leading to lower torque at shallow
276 depth and higher torque at greater depth.

277 Figure 7(a) shows the monotonic uplift response with varying AR. It indicates that the tensile capacity Q_t , which is defined
278 as the maximum or peak resistance, increased with reducing AR. The tensile capacity Q_t was 5.66 MN, 6.79 MN and 7.58
279 MN for AR = 1.0, 0.5 and 0.25, respectively. In addition, the initial stiffness increases significantly with reducing AR. For
280 AR = 1.0, the tensile resistance increased gradually and reached the maximum at the displacement of $0.15D_h$. Whilst for

281 AR = 0.5 and 0.25, the tensile resistance reached the maximum almost immediately as the pile was subjected to the
 282 monotonic tensile and the resistance was maintained up to a displacement of $0.1D_h$, after which the resistance started to
 283 reduce significantly. Similar observations on installation requirements and monotonic tensile response have been made by
 284 others (Cerfontaine et al. 2022; Cerfontaine et al. 2023a; Sharif et al. 2021a; Sharif et al. 2021b; Wang et al. 2023a; Wang
 285 et al. 2023b).

286 *Cyclic Displacement Accumulation*

287 Figure 8 presents the accumulated displacement response with cycles. Figure 8(a) compares the response of the pile
 288 subjected to an equal absolute loading ($Q_{cyc} = 1.6$ MN, 21.2% to 28.6% Q_T for AR = 0.25 to 1.0, respectively), showing
 289 that the pitch-matched pile reached ultimate displacement within 10 cycles exhibiting an unstable behavior (US), whereas
 290 the pile installed at AR = 0.5 (lasting 500 cycles) and 0.25 (lasting 900 cycles) exhibited better meta-stable (MS)
 291 performances. However, this improvement is at least partially attributed to the enhanced tensile capacity due to over-
 292 flying because the applied cyclic normalized loading amplitude reduces with over-flying (reducing AR). By
 293 comparing the displacement response of the pile subject to the same normalized loading ($Q_{cyc} = 28.6\% Q_T$, 1.6 MN to 2.17
 294 MN for AR = 1.0 to 0.25, see Figure 8b), it is suggested that the displacement accumulation of AR = 0.5 and 0.25 was still
 295 significantly smaller than that of AR = 1.0, reaching the ultimate displacement after 88 cycles (US) and 400 cycles (MS),
 296 respectively. Thus, some caution is required with screw piles when normalizing cyclic behavior as the ultimate resistance
 297 changes depending on the installation approach used.

298 Figure 8(c) indicates that, when the applied loading amplitude was reduced to $Q_{cyc} = 13.5\% Q_T$, the pitch-matched pile still
 299 accumulated displacement quickly and could not last for more than 60 cycles. However, in contrast, reducing AR to 0.5
 300 and 0.25 can significantly improve the behavior since only minimal displacement ($<0.01D_h$) was accumulated after 1000
 301 cycles, exhibiting stable behavior (S). Further reducing Q_{cyc} to 6.7% Q_T resulted in stable behavior for AR = 1.0.

302 As per Newgard et al. (2015) and Buckley et al. (2023), a power law is employed to fit the displacement accumulation with
 303 cycle numbers as per Eq. 6:

$$d_{za}/D_h = \alpha N^{0.8} \quad 6$$

$$\alpha = \max[0, (\beta + 0.1 \times Q_{cyc}/Q_t) / \eta] \quad 7$$

$$\beta = -0.014 + 0.0013 \times (AR/AR_{cr})^{3.9} \quad 8$$

$$\eta = 0.42 + 45 \times 0.07^{(AR/AR_{cr})}$$

9

304 where d_{za}/D_h is the normalized accumulated displacement, N cycle number, α the power law coefficient, which is a
 305 function of Q_{cyc} and AR/AR_{cr} , β and η are fitting parameters related to AR/AR_{cr} , and AR_{cr} the ‘critical’ AR calculated
 306 using Eq. 5. The value of β adjusts the threshold at which displacement will not be accumulated if Q_{cyc}/Q_t is less than this
 307 value. The predicted displacements are shown as dashed lines in Figure 8. It shows a globally good fit although a single
 308 case (C0.5-1.6) exhibits a considerable overestimation.

309 Figure 9 presents the displacement accumulation rate Δd_{za} , which is defined in Figure 5. It is interesting to note that for
 310 most of the unstable and metastable cases (Figure 9a and b), evolution of Δd_{za} with N can be characterized by two phases.
 311 In the first phase, Δd_{za} increased with cycling, followed by the second phase where Δd_{za} tended to decrease to relatively
 312 stable values. The reduction of Δd_{za} in the second phase which can last for tens and even a few hundred of cycles is
 313 consistent with observations made by other studies on straight-shafted piles (Jardine and Standing 2000) and onshore or
 314 smaller diameter screw piles (Hao et al. 2022; Schiavon et al. 2017). The increasing Δd_{za} at the beginning of cycling is
 315 similar to an unstable straight-shafted pile prior to failure, indicating a sharp reduction of radial stress on the pile shaft.
 316 When assessing the stable cases (Figure 9c), Δd_{za} is limited and relatively stable throughout cycling as per stable straight-
 317 shafted piles.

318 *Evolution of Cyclic Stiffness*

319 The experiments also revealed how cyclic axial loading stiffness k_n (see Figure 5 for definition) evolved with number of
 320 cycles. Inspecting the magnitude of loading stiffness (Figure 10b, d and f), it is shown that k_n decreases with increase of
 321 Q_{cyc} and lower AR values leads to improved k_n compared with $AR = 1.0$.

322 When assessing the evolution of k_n with cycling, similar patterns to those of displacement accumulation rate Δd_{za} (Figure
 323 9) are seen. For the stable cases (Figure 10a and b) k_n shows a trend of stabilization or low-rate reduction. Comparison
 324 with model test for straight-shafted piles shows a similar stabilization or reduction with cycle number for stable tests as for
 325 the screw piles investigated here (Rimoy et al. 2022; Zheng et al. 2019). In terms of the meta-stable and unstable cases
 326 (Figure 10a - f), k_n tends to decrease at the first tens or even hundreds of cycles and then experiences slow recovery. This
 327 increase, or recovery, of stiffness is not normally observed for straight-shafted piles. In contrast, the testing of small
 328 diameter screw piles by Schiavon et al. (2017) and Hao et al. (2022) (helix/shaft diameter ratios $D_h/D_s = 3.3$ and 4.0
 329 respectively), showed an initial increase in cyclic stiffness followed by a plateau of constant stiffness. Thus, the general
 330 behavior observed in this study with much larger diameter pile shafts ($D_h/D_s = 1.9$) is initially similar to piles relying on

331 shaft resistance (stable) followed by a recovery phase for the higher magnitude tests (unstable and metastable). This
332 difference in apparent behavior from previous screw pile tests is thought to be due to the geometry of the piles coupled
333 with the cyclic magnitudes. Where the screw piles in this study appear to show some recovery is thought to be associated
334 with reduction in shaft stiffness with mobilization and a greater contribution or mobilization of the helix as this is associated
335 with the tests of high cyclic amplitude that are unstable or metastable (e.g. C0.5-1.92). These observations are consistent
336 with the numerical study of the same pile used herein by Sharif et al. (2021b) who showed that that during a monotonic
337 uplift test, the shaft behaved much stiffer (greater increase of resistance for a given displacement) than the helix before
338 displacement d_z/D_h reached 0.03. Schiavon et al. (2019b) also showed that, subject to cyclic tension, the proportion of
339 loading taken by the helix increased from almost zero to around 60% when Q_{cyc} increased from 10% Q_t to 50% Q_t for the
340 pile geometry investigated in their study ($D_h=305$ mm, $D_s= 101$ mm, and $H=15$ m).

341 ***Idealized pile component response and interpretation of overall pile response***

342 As an analogue to end bearing response in compression, the helix bearing response in tension is also typically softer than
343 the shaft friction response, although the shaft resistance tends to reach the ultimate value and be fully mobilized at a lower
344 displacement (Fleming et al. 2009; Schiavon et al. 2019b). Therefore, the shaft component of resistance tends to initially
345 control the overall cyclic pile response at lower cyclic magnitudes as investigated in this study.

346 Figure 11(a) idealizes the helix and shaft resistance normalized by total resistance against displacement for single cycles.
347 For the stable cases associated with small Q_{cyc}/Q_t , mobilization of both the helix and shaft resistance is limited and limited
348 permanent displacement is accumulated, i.e. a displacement path similar to OAO. In these cases, the limited mobilization
349 of shaft resistance (q_s/Q_s , where Q_s is ultimate shaft resistance) does not induce shaft resistance degradation, as suggested
350 by Jardine and Standing (2012) who indicated that q_s/Q_t less than 50% is unlikely to result in degradation. Therefore,
351 overall cyclic response exhibits a constant limited displacement accumulation rate Δd_{za} (Figure 9c) and constant or
352 moderately declining stiffness k_n (Figure 10a) as per stable straight-shafted piles (Rimoy et al. 2022; Zheng et al. 2019).

353 When increasing Q_{cyc}/Q_t , more displacement is required to mobilize both the helix and shaft resistance to achieve the
354 target maximum total resistance (q_s+q_h). This may lead to a displacement path of OBC in Figure 11(a), where the shaft
355 resistance is highly mobilized and a permanent displacement of C is accumulated. In this case the high mobilization of
356 shaft resistance (q_s/Q_s) is expected to result in significant degradation of shaft loading stiffness and ultimate resistance.
357 Consequently, an increased permanent displacement is accumulated as per the displacement path CDE. This happens to
358 meta-stable and unstable cases, where the displacement accumulation rate Δd_{za} increases (Figure 9a and b) with

359 corresponding reduction of loading stiffness k_n (Figure 10c and e) at the beginning of cycling. The significant increase of
360 Δd_{za} and decrease of k_n is similar to the unstable response of a straight-shafted pile prior to failure (Rimoy et al. 2022).
361 However, the displacement accumulation can compress soil above the helix exhibiting a tendency of increasing the local
362 stiffness of helix response as shown in Figure 11(a) where $k_{2h} > k_{1h}$, in line with observations for small screw piles
363 (Schiavon et al. 2017). This increase of helix stiffness can contribute to the increase of overall stiffness (Figure 10c and e)
364 and reduction of displacement accumulation rate Figure 9 after the completion of the shaft resistance degradation at the
365 beginning of cycling.

366 Over-fighting can also reduce displacement accumulation as illustrated in Figure 11(b). Because of the improved cyclic
367 displacement response due to over-fighting and the stiffer response of shaft resistance, it is assumed that over-fighting
368 contributes an increased proportion of shaft component to the total capacity (Q_s/Q_t) with reduced helix contribution,
369 although the absolute magnitudes of both the helix and shaft resistance components are expected to be improved as
370 discussed previously and suggested by (Sharif et al. 2021a). As shown in Figure 11(b), subject to the same total loading,
371 the improved Q_s/Q_t due to over-fighting allows the stiffer shaft to take an increased load proportion resulting in
372 displacement path being changed from OAB (AR = 1.0) to OA'B' (AR < 1.0) with reduced displacement accumulation,
373 along with reduced load contribution from the softer helix. For lower Q_{cyc} , over-fighting can even result in response
374 modification from unstable (OAB) to stable (OA'B') as shown in Figure 11(c). This corresponds to the stability changing
375 from unstable (C1.0-0.77) to stable (C0.5-0.88 and C0.25-1.03) at $Q_{cyc}=13.5\%Q_t$ due to improved shaft resistance with
376 reducing AR.

377 ***Post-cyclic Monotonic Response***

378 Another consideration of cyclic screw pile behavior is how the pile capacity evolves with cycling. Figure 12 compares the
379 pre-cyclic and post-cyclic monotonic uplift response. For C1.0-1.6 (Figure 12a), the post-cyclic uplift response appears
380 slightly stiffer than the pre-cyclic response, which is indicated by the increasing cyclic loading stiffness shown in Figure
381 10(c or e), although the post-cyclic capacity is lower (by 18%). In contrast, the enhanced stiffness was not observed in the
382 rest of cases, which is also indicated by loading stiffness in Figure 10.

383 Figure 13 shows the relative loss in capacity (ratio of tensile capacity loss $\Delta Q_t = Q_{t_postcyc} - Q_t$ to pre-cyclic capacity Q_t)
384 that linearly increases with accumulated displacement during cycling and is dependent on installation AR. This linear
385 function is fitted as Eq. 10:

$$\Delta Q_t/Q_t = -2.03d_{za}/D_h$$

10

386 This suggests the potential to predict post-cyclic capacity simply by using accumulated displacement combined with pre-
 387 cyclic capacity. In addition, regarding the reduced displacement accumulation as shown in Figure 8, it suggests that over-
 388 flighted installation can mitigate capacity degradation caused by cyclic loading.

389 Although the shaft resistance contributes to the cyclic response as discussed previously, its contribution to the total tensile
 390 capacity of the screw pile studied herein was suggested to be less than 20% (Sharif et al. 2021b), the ultimate capacity
 391 reduction is therefore predominately associated with the helix. Newgard et al. (2015) suggested that the loss of tensile
 392 capacity of a screw pile (or helical plate) due to cyclic loading can be related to loss of helix embedment depth and changes
 393 in soil state (e.g. reduction of density). The helix embedment depth and soil parameters are typical inputs for capacity
 394 prediction methods of screw piles. For instance, Giampa et al. (2017) proposed a theoretical solution (Eq. 11 ~ 13) to
 395 predict tensile capacity of single-helix screw piles with shallow embedment (D_h/H typically below 5 to 12 but this is
 396 dependent on relative density) i.e. the failure mechanism can develop to ground surface as an uplifting wedge.

$$\kappa = \tan\psi_p + \cos(\varphi_p - \psi_p)(\tan\varphi_p - \tan\psi_p) \quad 11$$

$$N_\gamma = 1 + 2\kappa \frac{H}{D_h} + \frac{4}{3}\kappa \tan\psi_p \left(\frac{H}{D_h}\right)^2 \quad 12$$

$$Q_t = \frac{N_\gamma \gamma' H \pi D_h^2}{4} \quad 13$$

397 where φ_p is the peak friction angle of the soil, ψ_p is the peak dilation angle of the soil, H is the embedment depth of the
 398 helix, D_h is the helix diameter.

399 This method has been shown to give reasonable prediction of tensile capacity of shallow embedded pitch-matched screw
 400 piles (Cerfontaine et al. 2023a; Cerfontaine et al. 2021b) but does not consider installation effects and contribution of shaft
 401 resistance (as it is generally considered a minor contribution for onshore screw piles with low shaft diameter D_s and high
 402 D_h/D_s ratio that this method has been previously applied to). Figure 14 (a) shows the tensile capacity prediction by Eq. 11
 403 ~ 13 using the soil parameters listed in Table 1 compared to the measured capacities and Figure 14(b) shows the ratio of
 404 measured capacity to Giampa et al. (2017) prediction. The Giampa et al. (2017) method gives reasonably good capacity
 405 prediction for AR = 1.0 installation with a slight underestimation that is potentially due to ignoring the shaft component.

406 However, as it cannot capture the changes in the soil created by over-flighting installation (compared to pitch-matched
407 installation), tensile capacity of both AR = 0.5 and 0.25 are significantly underestimated. Based on the measured capacity
408 in this study, the post-installation reference soil parameters (relative density D_{v_ref} , peak friction angle ϕ_{p_ref} and dilation
409 angle ψ_{p_ref}) were back-calculated using the Giampa et al. (2017) approach and the relationships between the parameters
410 listed in Table 1.

411 The back-calculated values are shown in Figure 14(a). They are consistent with an inferred increased density of sand above
412 the helix as a result of over-flighting. Relative density values are derived from peak friction angles for the HST 95 sand
413 based upon the correlations between key parameters and density determined by Al-Defae et al. (2013). The back-calculated
414 results, as shown in Figure 14(a), are obviously shown for indicative or reference purposes as they do not allow for or
415 capture any stress changes around the pile that would occur due to installation.

416 Figure 15 illustrates the post-cyclic uplift curves, which have been offset by the accumulated displacement during cycling.
417 This means that the displacements of both pre-cyclic and post-cyclic tests are relative to the pile position at the end of
418 installation. The figures also present the peak tensile capacity predicted using the Giampa et al. (2017) approach (Eq. 11 ~
419 13), which only considers variation of embedment depth without taking account of the potential change of soil properties
420 during cyclic loading (i.e. the properties for each AR presented in Figure 14a were adopted). The predicted tensile capacities
421 reduce with displacement, i.e. the Giampa et al. (2017) slopes with d_z/D_h , owing to the loss of helix embedment depth
422 (reduction of H in Eq. 11 ~ 13). Compared to the Giampa et al. (2017) capacity predictions where the input parameters are
423 adopted from Figure 14a, the measured post-cyclic capacities are lower. The difference indicates that the soil state changes
424 with strain or displacement accumulation due to cycling are not captured in the Giampa et al. (2017) approach as would be
425 expected and would require further updated input parameters to capture the soil state changes.

426 Figure 15 also illustrates that the maximum post-cyclic resistance is close to the resistance of the pre-cyclic response at the
427 same offset displacement, and the post-peak behavior reasonably matches the pre-cyclic response. The post-cyclic
428 monotonic response tracking the pre-cyclic monotonic behavior was also observed for end bearing resistance of straight-
429 shaft piles by Galvis-Castro et al. (2023). This indicates that the post-cyclic monotonic uplift behavior is correlated to the
430 pre-cyclic monotonic uplift behavior and the accumulated displacement during cycling. This also indicates that the cyclic
431 loading induced loss of tensile capacity is predominantly due to displacement/strain accumulation and the cyclic loading
432 does not induce significant additional change of soil stress state and density compared to monotonic loading. It also

433 highlights again that the beneficial effects of installation at varying AR persists during cyclic loading as the pile effectively
434 returns to pre-cyclic monotonic performance.

435 **Cyclic Stability Comparison**

436 Figure 16 shows the cases examined in this study in a cyclic stability diagram, alongside comparison to the zone boundaries
437 proposed by other studies on driven straight shafted piles (Jardine and Standing 2012) and small onshore pitch-matched
438 screw piles (Costa and Costa 2019; Schiavon 2016). The diagram shows improved cyclic stability can be achieved through
439 a reduction in AR, as evidenced by the wider stable zones and narrower unstable zones. Particularly, the low cyclic stability
440 of AR = 1.0 supports the necessity of over-flighting installation for offshore screw piles used as anchors.

441 Figure 16 also illustrates that reducing AR to 0.25 for the screw pile studied led to similar cyclic stability to ICP field tests
442 conducted on driven straight-shafted piles by Jardine and Standing (2012). However, direct comparisons between the two
443 are not entirely appropriate due to the different mechanisms governing tensile resistance. While the tensile capacity of
444 straight-shafted piles only relies on shaft friction, screw piles benefit from both shaft friction and helix bearing mechanism
445 (Schiavon 2016; Sharif et al. 2021b). Consequently, screw piles have much higher tensile capacity (ultimate resistance)
446 compared to straight-shafted piles with same shaft diameter and length, due to the additional resistance provided by the
447 helix/helices (Al-Baghdadi 2018). For example, in this study and Figure 16 the screw piles experience significantly larger
448 absolute loading than the straight-shafted piles for the same equivalent normalized cyclic loading. For instance, the tensile
449 capacity of an ICP pile with a length of 19 m and shaft diameter of 457 mm was on average 1.5 MN, whereas the tensile
450 capacity Q_t of the 12.8m long screw pile in this study ranged from 5.66 to 7.58 MN (AR = 1.0 to 0.25). The cyclic loading
451 $Q_{cyc} = Q_{mean} = 0.88$ MN led to a stable behavior of the pile installed at AR = 0.5 (C0.5-0.88), but the ICP straight-shafted
452 pile (Jardine and Standing 2012) would not withstand a single cycle at this magnitude as the maximum loading $Q_{max} =$
453 1.76 MN was beyond the tensile capacity $Q_t = 1.5$ MN. Therefore, although the cyclic stability of the piles in this study
454 appears reduced when compared to Jardine and Standing (2012), they actually can tolerate cyclic loading with much higher
455 absolute values.

456 When compared to the pitch-matched small diameter onshore screw piles (Costa and Costa 2019; Schiavon 2016), cyclic
457 stability of AR = 1.0 in this study appears reduced. By reducing the AR, any soil degradation during installation above the
458 helix was partially recovered (Sharif et al. 2021a), resulting in comparable cyclic stability to the study by Costa and Costa
459 (2019) in loose sand ($D_r < 33\%$). However, the remarkably good cyclic stability observed by Schiavon (2016) in very
460 dense sand ($D_r > 95\%$) was not attained in this study. This observation suggests a potential relationship that higher soil

461 relative density may lead to better cyclic stability, but further investigation at a range of relative densities is needed to
 462 substantiate this relationship. However, due to the different orders of magnitude of tensile capacity Q_t (less than 0.2 MN
 463 for the small diameter onshore screw piles and more than 5 MN for large-sized screw piles tested herein) and the
 464 consequently different applications, the comparison of cyclic stability between the offshore and smaller onshore screw
 465 piles shown in Figure 16 may not be entirely appropriate and not do justice to the benefit of using much larger screw piles
 466 subjected to much greater loading.

467 **Prediction of Post Cyclic Capacity Loss**

468 It is possible to predict the post-cyclic capacity loss versus cycle number N and loading amplitude Q_{cyc} by combining the
 469 accumulated displacement prediction equations (Eq. 6 ~ 9) and relationship between capacity loss and accumulated
 470 displacement (Eq. 10):

$$\Delta Q_t / Q_t = -2.03 \alpha N^{0.8} \quad 14$$

471 where coefficient α is obtained using Eq. 7. The form of equation is similar to the ICP capacity loss prediction approach
 472 for straight-shafted piles (Jardine and Standing 2012) and can be re-written as:

$$\Delta Q_t / Q_t = (B + A Q_{cyc} / Q_t) \times N^C \quad 15$$

473 where the A, B and C are fitting parameters. The values suggested by Jardine and Standing (2012) based on field tests of
 474 straight shafted piles and parameters fitted using data in this study for screw piles are shown in Table 3. The form has been
 475 modified to include the effects of installation and the values of AR are included for the screw piles.

476 Based on Eq. 15 and fitting parameters in Table 3 for screw piles, the prediction of capacity loss $\Delta Q_t / Q_t$ against applied
 477 cyclic amplitude Q_{cyc} / Q_t at certain cycle numbers ($N = 10, 100$ and 100) and at AR = 0.5 are shown in Figure 17, with a
 478 comparison to ICP capacity loss prediction for straight-shafted piles (Jardine and Standing 2012). As per Jardine and
 479 Standing (2012) the lines are constructed based upon:

$$Q_{t_postcyc} = 1 + \Delta Q_t / Q_t > Q_{max} = Q_{mean} + Q_{cyc} \quad 16$$

480 which requires the $Q_{t_postcyc}$ to remain higher than applied Q_{max} . Figure 17 indicates that the form of screw pile capacity
 481 degradation adopted is appropriate when compared to the ICP approach used for straight-shafted piles.

482 **Limitations and Practical Implications**

483 This study makes a first step towards understanding the effects of installation on the cyclic performance of large screw
484 piles deployed as anchors for floating wind and paves the way for further studies. It is noted though that the centrifuge tests
485 presented in this paper are limited to installation and tensile cyclic loading regimes of a single screw pile in specific ground
486 conditions (medium dense sand). In addition, it is acknowledged that the study here has adopted fully drained installation
487 and loading cases under simple cyclic loading scenarios. This may not reflect the complexity of a particular deployment
488 that would require site specific assessment of ground conditions, drainage regimes and cyclic pore pressure accumulation
489 effects and consider loading events such as snatch loading and storm build up events. That said though, such site-specific
490 studies can easily be incorporated in further centrifuge testing or centrifuge testing included as part of the design process
491 as suggested in ISO 19901-4:2016 (International Organization for Standardization 2016).

492 However, there are important practical implications for screw piles deployment for further floating wind anchorage. Firstly,
493 this paper has shown that the over-flighting during installation, which may be necessary for large-sized screw piles
494 (Davidson et al. 2022), is also beneficial for cyclic tensile loading regimes. Based upon this study and for the pile
495 investigated herein an $AR = 0.25$ is associated with optimal behavior. For practical application, installation rigs would then
496 need to be developed that have control on both rotational rate as well as penetration rate and have the ability to apply both
497 tensile and compressive forces to the pile. It may be more ideal in an offshore setting to develop pile designs that allow
498 optimal installation under self-weight penetration to avoid the need for heavy rigs required to create reaction to installation.
499 Further characterization of the performance of piles installed in this manner would be required.

500 As previously discussed, the cyclic tensile response under loading regimes considered in this study is more controlled by
501 the shaft resistance, and the over-flighting induced improvement on cyclic tensile response relates to the enhanced shaft
502 resistance component as previously observed for monotonically loaded piles (Sharif et al. 2021a). In addition, the
503 mobilization of the helix resistance is likely to be accompanied with high cyclic displacement accumulation rates due to
504 the lower loading stiffness of the helix bearing mechanism. Therefore, for design where lower magnitude cyclic loading
505 regimes are considered, the helix resistance may need to be ignored for cyclic checks and the pile treated as a straight-
506 shafted pile. In this case, the helix is predominantly employed to allow the silent rotary installation and deal with large
507 storm events and snatch loading events.

508 This study also presents a method for predicting accumulated displacement and capacity loss due to cyclic loading, taking
509 account of the effect of varying AR . This method can be used for initial cyclic design and pile sizing. In addition,

510 comparison between the proposed screw pile accumulated displacement and capacity loss prediction method and those
511 previously developed for straight-shafted piles shows that over-flighted screw piles exhibit similar overall cyclic stability
512 to straight-shafted piles. Due to the higher monotonic capacity, screw piles can take higher cyclic loading than straight-
513 shafted piles with same shaft diameter. Therefore, replacing straight-shafted piles with over-flighted screw piles could be
514 an attractive solution for anchoring floating renewable energy structures.

515 **Conclusion**

516 A series of centrifuge tests were conducted to investigate the over-flighting effects on cyclic performance of a single-helix
517 offshore screw pile. Over-flighting ($AR < 1$) during installation has been shown to improve the monotonic uplift response
518 of upscaled screw piles for offshore energy applications. The pile was installed at advancement ratios, $AR = 1.0, 0.5$ and
519 0.25 , which caused compressive, nearly net zero and tensile force, respectively, on the pile head during installation. The
520 cyclic loading amplitudes, Q_{cyc} were varied from 6.7% to $28.6\% Q_t$. Post-cyclic monotonic uplift tests were conducted on
521 each pile to evaluate the effects of cyclic loading on the final post-cyclic tensile capacity. The main conclusions are as
522 follows:

- 523 a) It is possible to reduce uplift displacement accumulation by reducing AR during installation (over-flighting). For
524 the offshore screw pile investigated, considering ultimate displacement as $10\% D_h$, it could not tolerate more than
525 100 cycles when subject to cyclic loading if the installation of pile followed a pitch-matched approach ($AR = 1.0$).
526 However, when subjected to the same cyclic loading magnitude, the piles installed at $AR = 0.5$ and 0.25 could
527 accommodate more than hundreds and even thousands of cycles exhibiting meta-stable or stable behavior.
- 528 b) Compared to pitch-matched installation, screw piles installed at lower AR values exhibited higher cyclic loading
529 stiffness, k_n .
- 530 c) For stable cases associated with lower Q_{cyc} , the pile is assumed to behave similarly to a straight-shafted pile and
531 exhibits decreased or stable loading stiffness k_n with cycling. Larger Q_{cyc} leads to meta-stable and unstable
532 response accompanied by degradation of shaft resistance and mobilization of helix resistance. The degradation of
533 shaft resistance leads to an increased displacement accumulation rate (Δd_{za}) and decreased k_n within the first tens
534 or hundreds of cycles, and the Δd_{za} tends to decrease or become stable and k_n tends to increase with the
535 mobilization of helix resistance in further cycles.
- 536 d) When displacement accumulation is low to moderate ($< 0.11 D_h$ in this study), post-cyclic monotonic uplift
537 response returns to the pre-cyclic monotonic uplift response when compared at the same accumulated

538 displacement level. This suggests that reduction of tensile capacity is predominately due to the displacement
539 accumulation itself and the effect of loading history difference (monotonic or cyclic) is limited.

540 e) Reducing the value of AR has been shown to give comparable cyclic stability performance to straight shafted
541 piles and screw piles investigated in previous studies even where the screw piles tested herein have been tested to
542 much greater load magnitudes.

543 f) Prediction frameworks for displacement accumulation and capacity loss were developed considering the effect of
544 AR values adopted for installation. The predictions show that the over-flighted screw piles, e.g. AR = 0.5 herein,
545 would experience similar capacity degradation to straight-shafted piles.

546 **Data Availability Statement**

547 All data that support the findings of this study are available from the corresponding author upon reasonable request.

548 **Acknowledgements**

549 The first author would like to acknowledge the financial support from Chinese Scholarship Council (CSC) and the
550 University of Dundee.

551 **Notation List**

552 The following symbols are used in this paper:

553 AR = advancement ratio

554 D_h = pile helix diameter

555 D_r = soil relative density

556 $D_{r.ref}$ = soil reference relative density

557 D_s = pile shaft diameter

558 d_z = pile uplift displacement

559 d_{za} = accumulated pile uplift displacement

560 d_{50} = mean diameter of sand grains

561 g_d = centrifuge acceleration in a dry sand test

562 g_{sat} = centrifuge acceleration in a saturated sand test

563 H = helix embedment depth

564 k_n = loading stiffness in cycle N

565 k_1 = loading stiffness in the first cycle

566 L = pile length

567 N = loading cycle number

568 p_h = helix geometric pitch

569 Q_{cyc} = cyclic loading amplitude

570 Q_{max} = maximum tensile force in a loading cycle

571 Q_{mean} = mean value of cyclic loading

- 572 Q_{min} = minimum tensile force in a loading cycle
- 573 Q_s = tensile capacity of pile shaft
- 574 Q_t = tensile capacity of pile
- 575 $Q_{t_postcyc}$ = post-cyclic tensile capacity of pile
- 576 q_h = mobilized helix resistance
- 577 q_s = mobilized shaft resistance
- 578 z = soil depth
- 579 ρ_d = dry soil density
- 580 ρ' = buoyant density of saturated soil
- 581 σ_p' = mean soil effective stress
- 582 σ_v' = vertical component of soil effective stress
- 583 φ_p = soil peak friction angle
- 584 φ_{p_ref} = soil reference peak friction angle
- 585 ψ_p = soil peak dilation angle
- 586 ψ_{p_ref} = soil reference peak dilation angle
- 587 Δd_{za} = uplift displacement accumulation rate
- 588 ΔQ_t = difference of tensile capacity of piles before Q_t and after $Q_{t_postcyc}$ cyclic loading
- 589 Δ_z = vertical displacement per rotation during installation

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719

720 **Table**

721 *Table 1 Properties of the HST95 sand (after Al-Defae et al. (2013))*

Properties	Symbol	Value	Value of $D_r = 50\%$
Effective particle size [mm]	d_{10}	0.090	-
Mean particle size [mm]	d_{50}	0.141	-
Particle specific gravity [-]	G_s	2.63	-
Minimum void ratio [-]	e_{min}	0.467	-
Maximum void ratio [-]	e_{max}	0.769	-
Dry unit weight [kg/m ³]	γ_{dry}	$14.5+3\times D_r$	16.0
Saturated unit weight [kg/m ³]	γ_{sat}	$18.8+1.8\times D_r$	19.7
Critical state friction angle [°]	φ_c	32	-
Peak friction angle [°]	φ_p	$29+20\times D_r$	39.0
Peak dilation angle [°]	ψ_p	$-4.4+26\times D_r$	8.6
Steel-sand interface friction angle [°]	δ	24	-

722

723

Test ID	AR	Loading regime	Cycle number, N	d_{za}/D_h	Q_t (MN)	$Q_{t_postcyc}$ (MN)	Stability
M1.0	1.0	Monotonic uplift	-	-	5.66	-	-
M0.5	0.5	Monotonic uplift	-	-	6.79	-	-
M0.25	0.25	Monotonic uplift	-	-	7.58	-	-
C1.0-1.6	1.0	$Q_{cyc} = Q_{mean} = 1.6 \text{ MN } (28.6\%Q_t)$	8	0.09	-	4.61	US
C0.5-1.6	0.5	$Q_{cyc} = Q_{mean} = 1.6 \text{ MN } (23.8\%Q_t)$	500	0.1	-	5.48	MS
C0.25-1.6	0.25	$Q_{cyc} = Q_{mean} = 1.6 \text{ MN } (21.2\%Q_t)$	900	0.1	-	6.38	MS
C0.5-1.92	0.5	$Q_{cyc} = Q_{mean} = 1.92 \text{ MN } (28.6\%Q_t)$	88	0.11	-	5.37	US
C0.25-2.17	0.25	$Q_{cyc} = Q_{mean} = 2.17 \text{ MN } (28.6\%Q_t)$	400	0.1	-	6.35	MS
C1.0-0.77	1.0	$Q_{cyc} = Q_{mean} = 0.77 \text{ MN } (13.5\% Q_t)$	120	0.4	-	0.94	US
C0.5-0.88	0.5	$Q_{cyc} = Q_{mean} = 0.88 \text{ MN } (13.5\% Q_t)$	1000	-0.002	-	6.98	S
C0.25-1.03	0.25	$Q_{cyc} = Q_{mean} = 1.03 \text{ MN } (13.5\% Q_t)$	1000	-0.009	-	7.35	S
C1.0-0.39	0.25	$Q_{cyc} = Q_{mean} = 0.39 \text{ MN } (6.7\% Q_t)$	1000	0.006	-	5.53	S

725

726

727 *Table 3 Fitting parameters for cyclic capacity degradation: ICP straight-shafted piles and screw piles in this study*

Datasets	A	B	C
Jardine and Standing (2012)	-0.126	0.0126	0.45
Screw piles (this study)	$\frac{-0.2}{0.42 + 45 \times 0.07^{AR/AR_{cr}}}$	$0.14 + 0.013 \times (AR/AR_{cr})^{3.9}$	0.8

728

729

730 **Figure caption**

731 *Figure 1 Schematic showing idealization of screw pile installation effects on in-situ soil conditions (a) pitch-matched and (b) over-*
732 *flighting (not to scale)*

733 *Figure 2 Screw pile model (a) whole pile model; (b) local detail of the helix region (prototype dimensions in brackets)*

734 *Figure 3 Typical testing procedure in a single centrifuge test: (a) monotonic test on a pile (b) cyclic and post-cyclic monotonic test on*
735 *a pile (installation at AR = 0.25)*

736 *Figure 4 Definition of cyclic loading parameters*

737 *Figure 5 Schematic illustration of cyclic displacement and stiffness parameters*

738 *Figure 6 Installation requirements with varying advancement ratio (AR) (a) vertical force and (b) torque*

739 *Figure 7 Comparison of the monotonic uplift response of the screw pile installed at different AR*

740 *Figure 8 Comparison of normalized accumulated uplift displacement d_{za}/D_h during cyclic loading with varying AR: measurements and*
741 *predictions from Eq. 6: (a) $Q_{cyc} = 1.6 \text{ MN}$; (b) $Q_{cyc} = 28.6\%Q_t$; (c) $Q_{cyc} < 13.5\%Q_t$ (US, MS and S refer to unstable, metastable and*
742 *stable respectively as defined previously)*

743 *Figure 9 Comparison of displacement accumulation rate Δd_{za} with varying AR and Q_{cyc} : (a) unstable cases (b) meta-stable cases; (c)*
744 *stable cases*

745 *Figure 10 Effect of AR on cyclic loading stiffness: (a) k_n/k_1 and (b) k_n for $Q_{cyc} \leq 13.5\%Q_t$; (c) k_n/k_1 and (d) k_n for $Q_{cyc} = 1.6 \text{ MN}$;*
746 *(e) k_n/k_1 and (f) k_n for $Q_{cyc} = 28.6\%Q_t$*

747 *Figure 11 Idealized helix and shaft cyclic force-displacement response of a screw pile (a) a stable cycle subject to a lower loading*
748 *amplitude and two unstable (or meta-stable) cycles subject to a higher loading amplitude; (b) reduced displacement accumulation in an*
749 *unstable (or metastable) cycle with over-flighting; (c) transition from an unstable to a stable cycle by over-flighting (ultimate helix*
750 *resistance is not presented as its value is out of the y-axis range)*

751 *Figure 12 Monotonic uplift response after (post) cyclic loading regimes with comparison to pre-cyclic monotonic uplift response (a) AR*
752 *= 1.0, (b) AR = 0.5, (c) AR = 0.25*

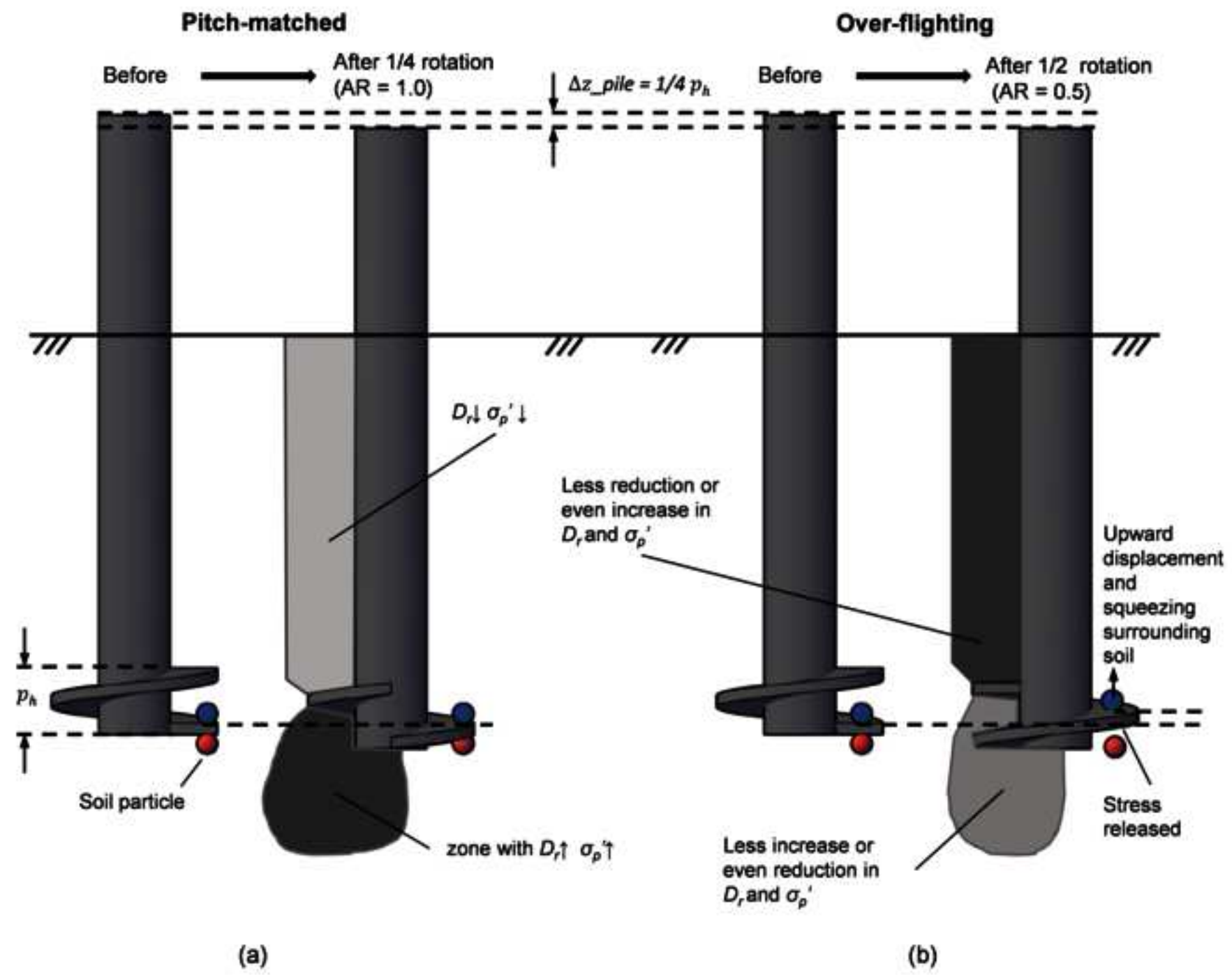
753 *Figure 13 Relationship between apparent cyclic loss in capacity and displacement accumulated during cycling*

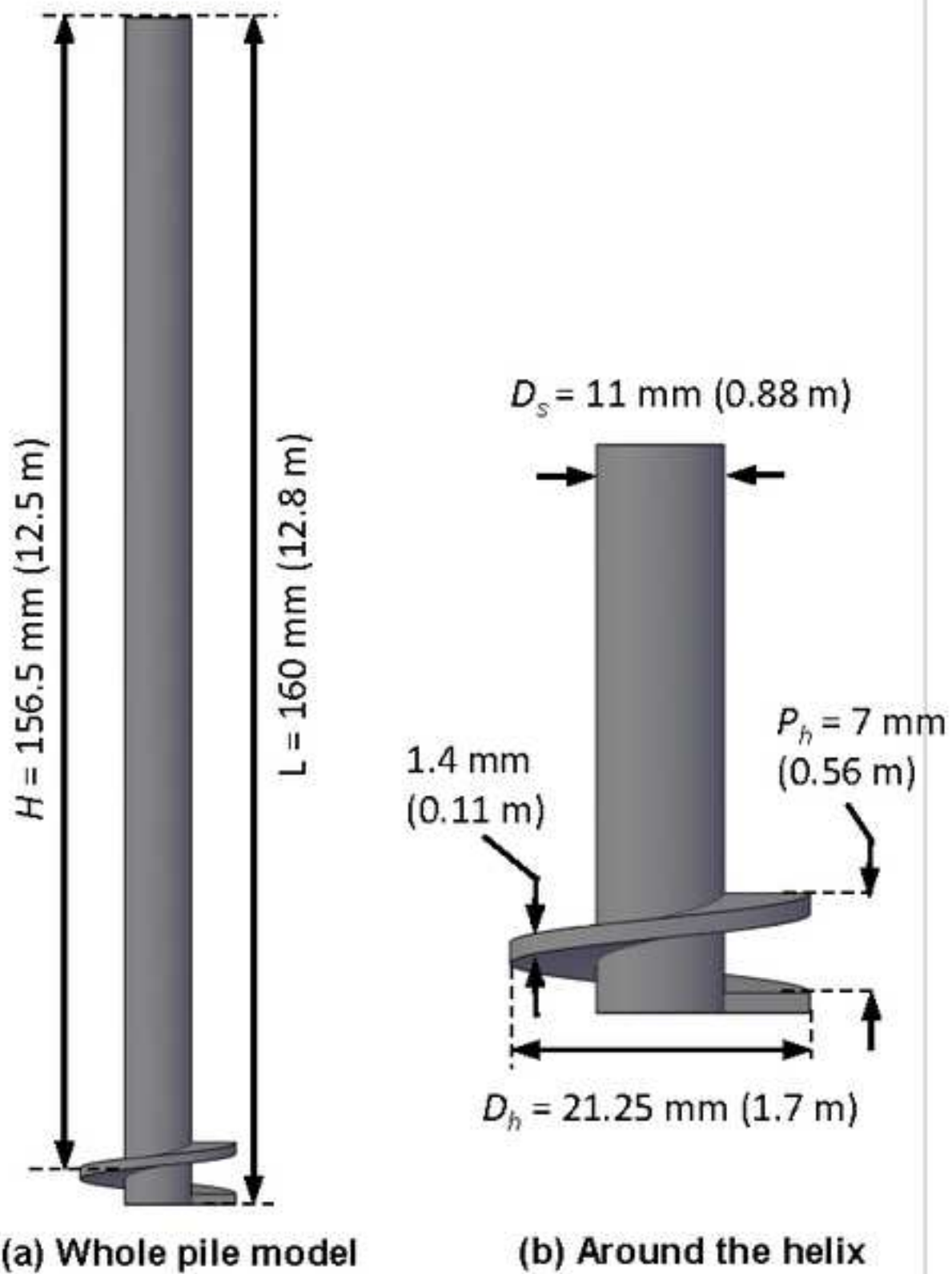
754 *Figure 14 (a) Pre-cyclic tensile capacity of varying AR values compared to Giampa et al. (2017) prediction and reference soil parameters*
755 *back calculated using the Giampa et al. (2017) approach (b) ratios of measured capacity to predictions*

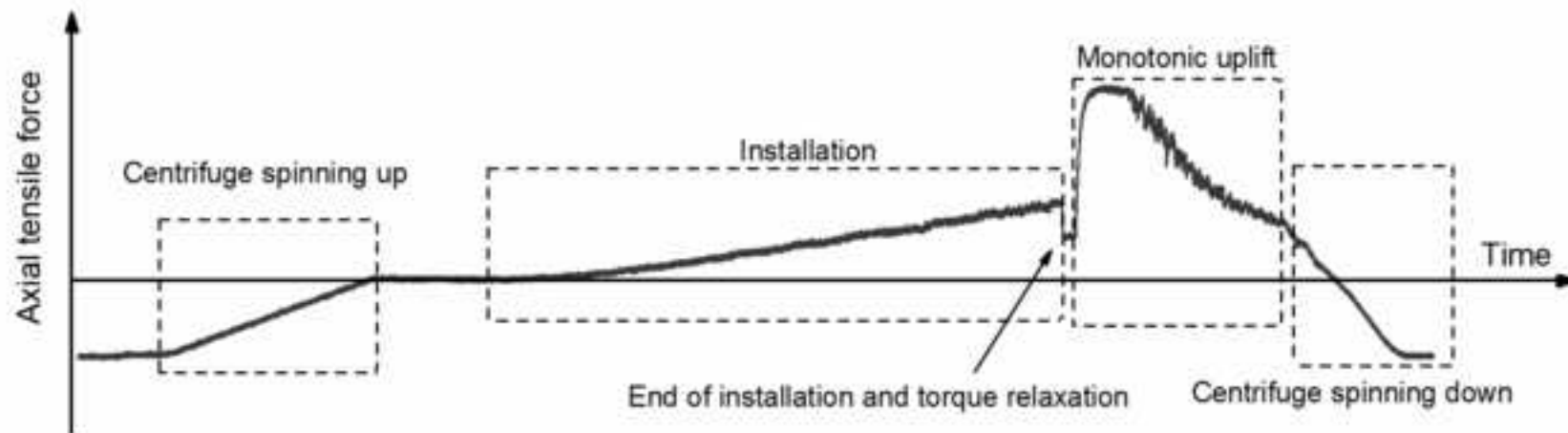
756 *Figure 15 Displacement corrected post-cyclic monotonic uplift reponse with comparison to pre-cyclic monotonic uplift reponse and*
757 *Giampa et al. (2017) capacity predictions (a) AR = 1.0, (b) AR = 0.5, (c) AR = 0.25*

758 *Figure 16 Cyclic stability diagram with comparison to previous studies of both straight shafted piles (Jardine and Standing 2012) and*
759 *screw piles (Costa and Costa 2019; Schiavon 2016) (datapoints slightly offset for clarity)*

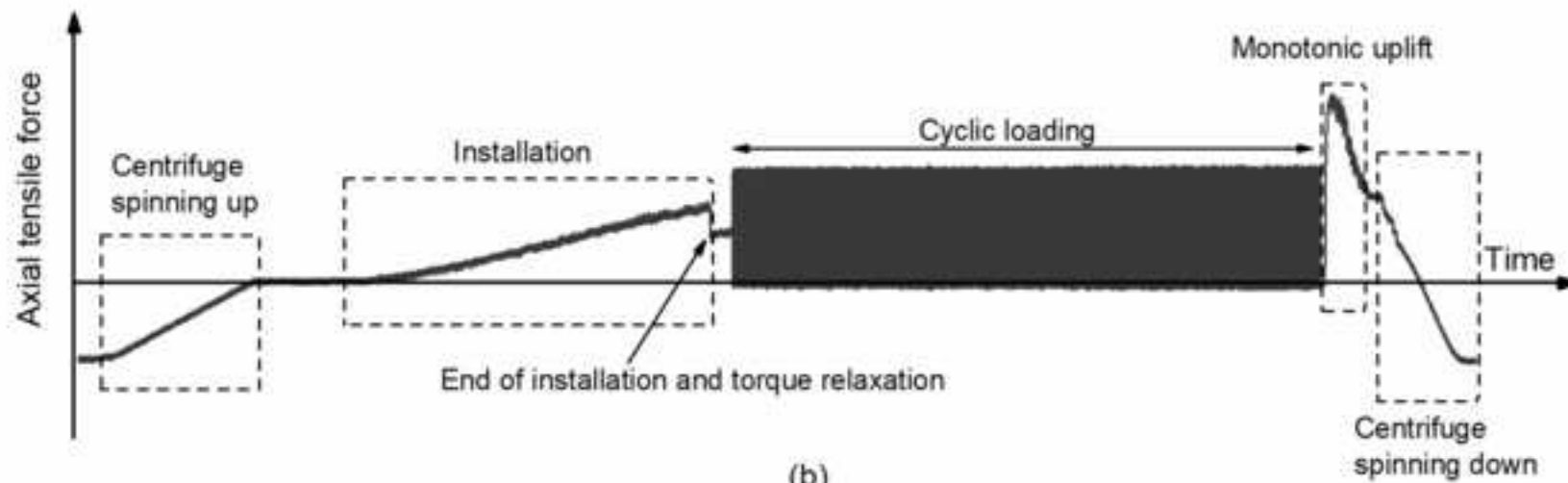
760 *Figure 17 Capacity based interaction diagram. Comparison between experimental data and predictions by Eq. 16 using parameters*
761 *calibrated in this study and the ICP Dunkirk tests (Jardine and Standing 2012) (a) AR = 0.5 (b) AR = 0.25*



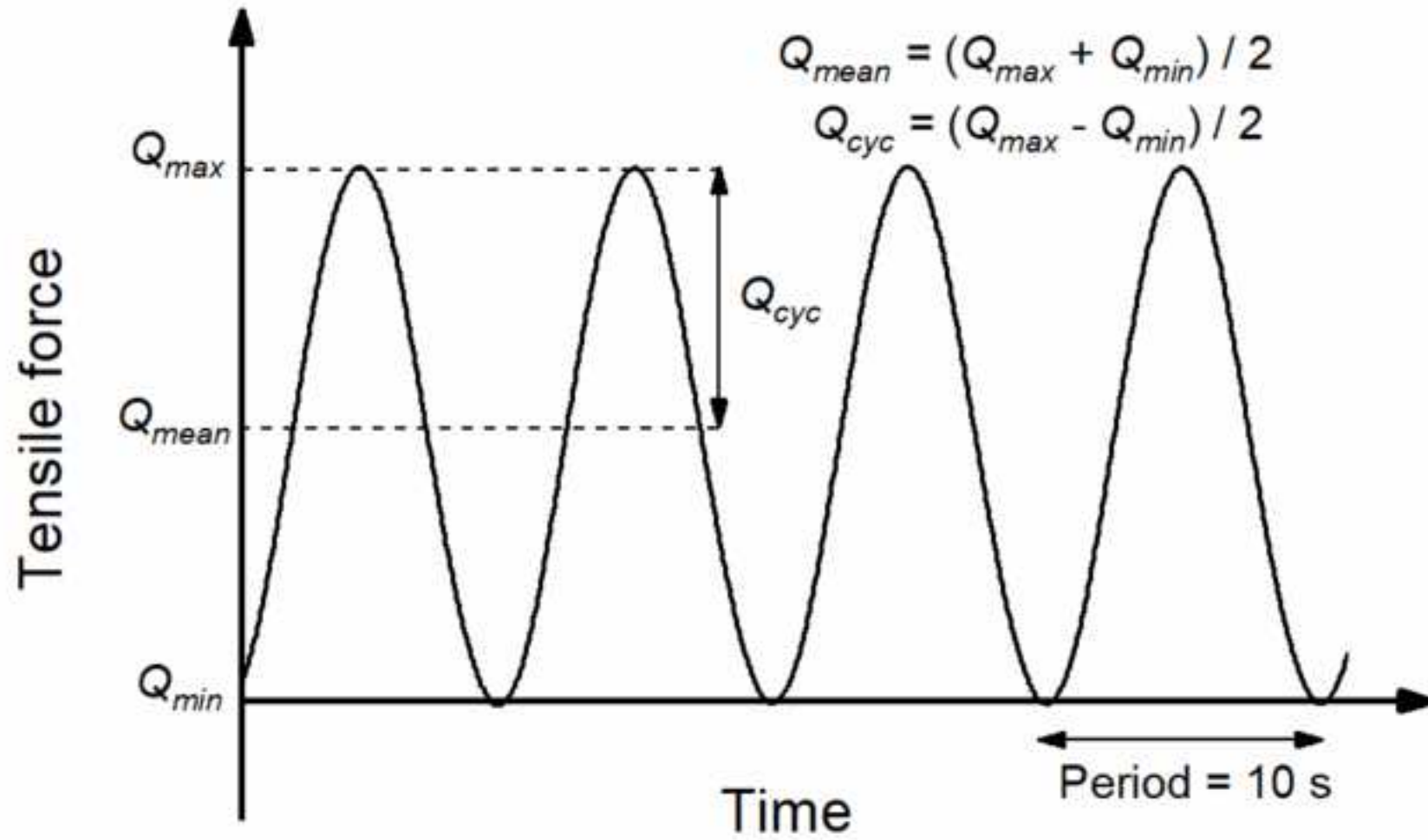


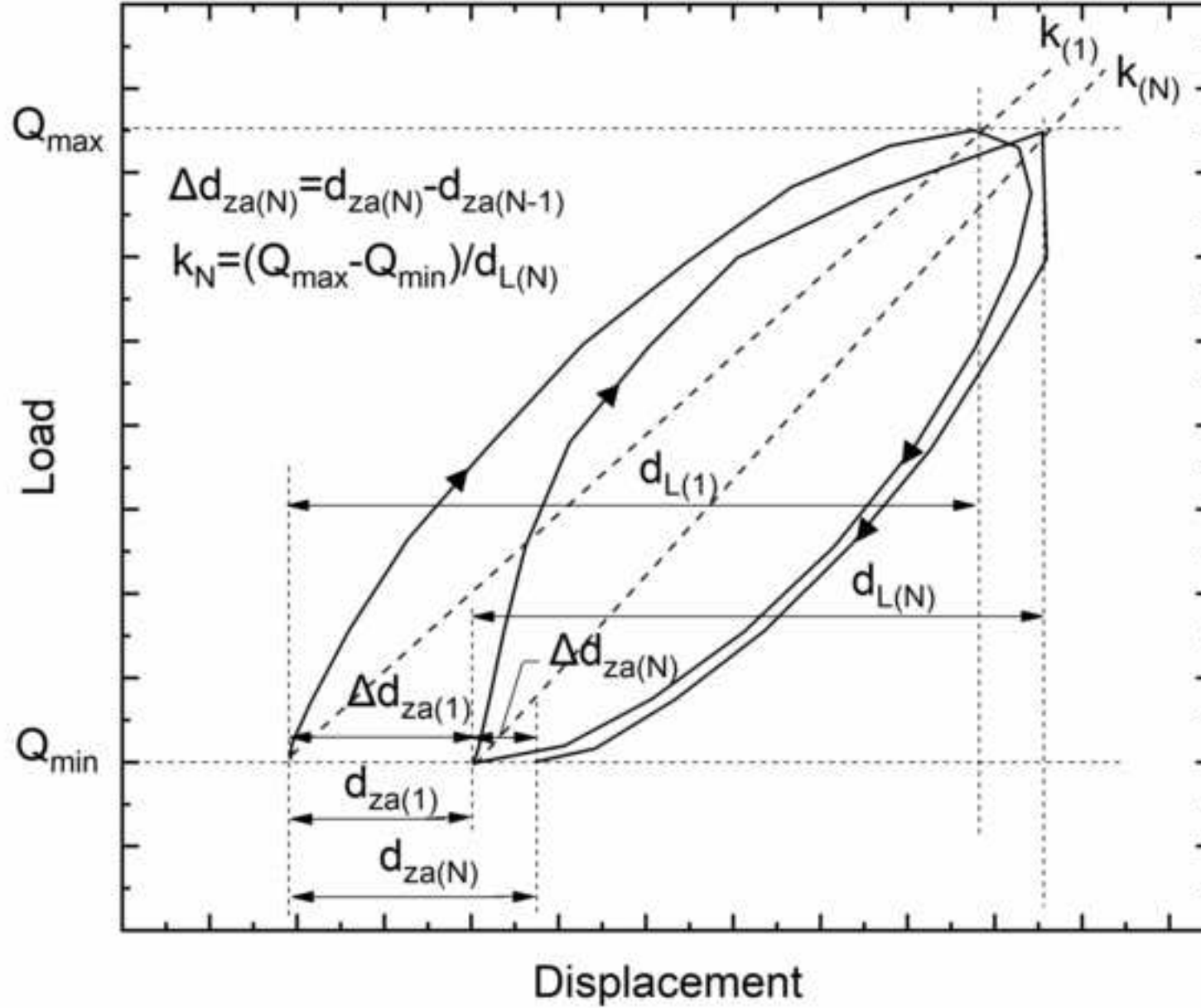


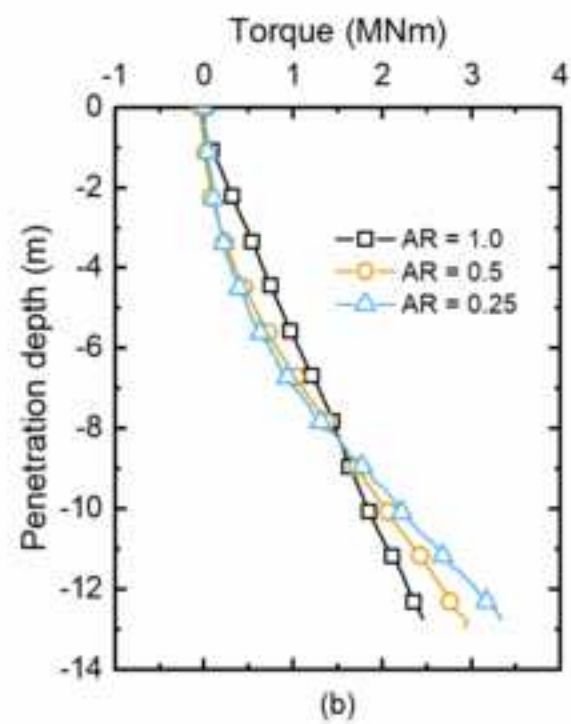
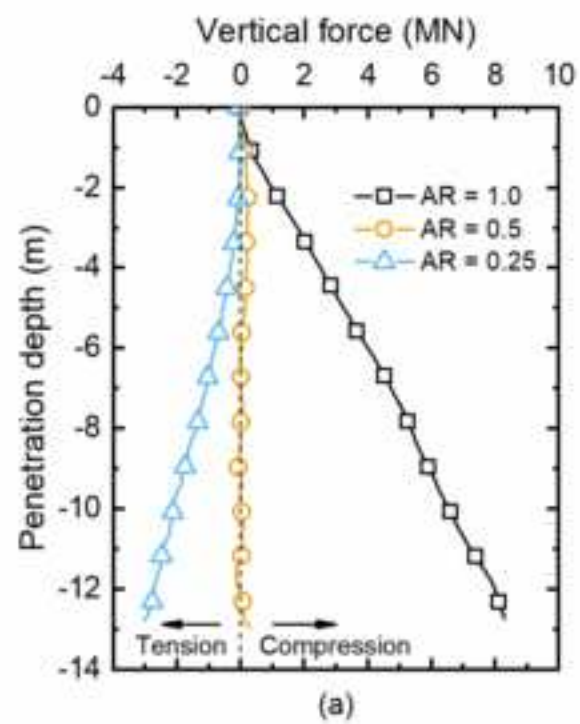
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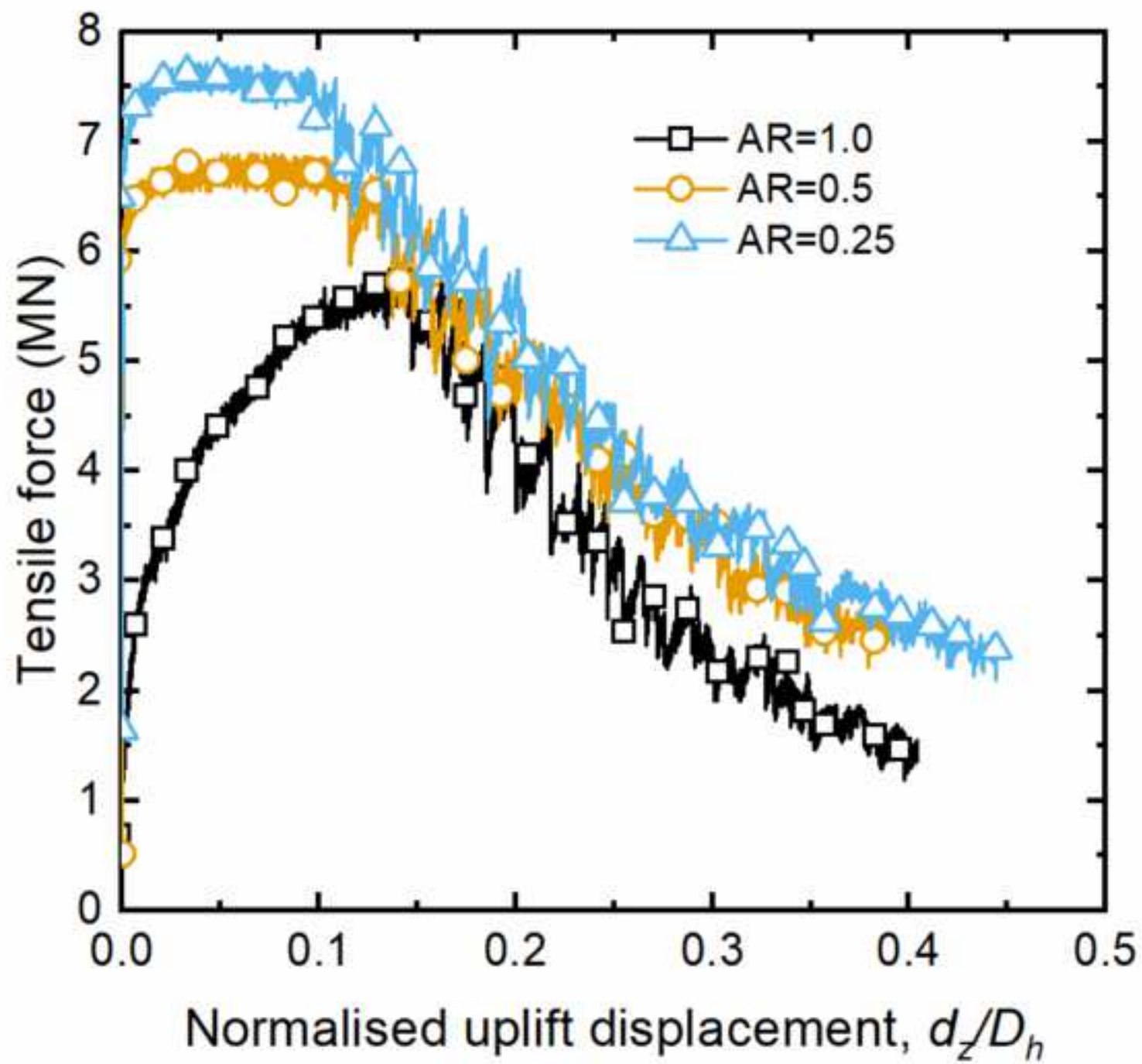


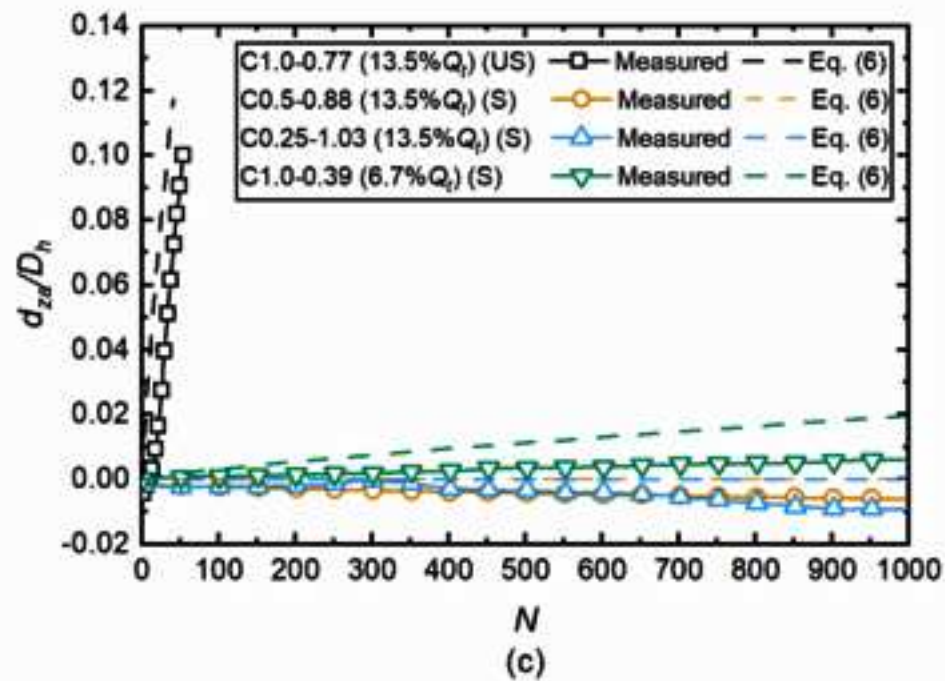
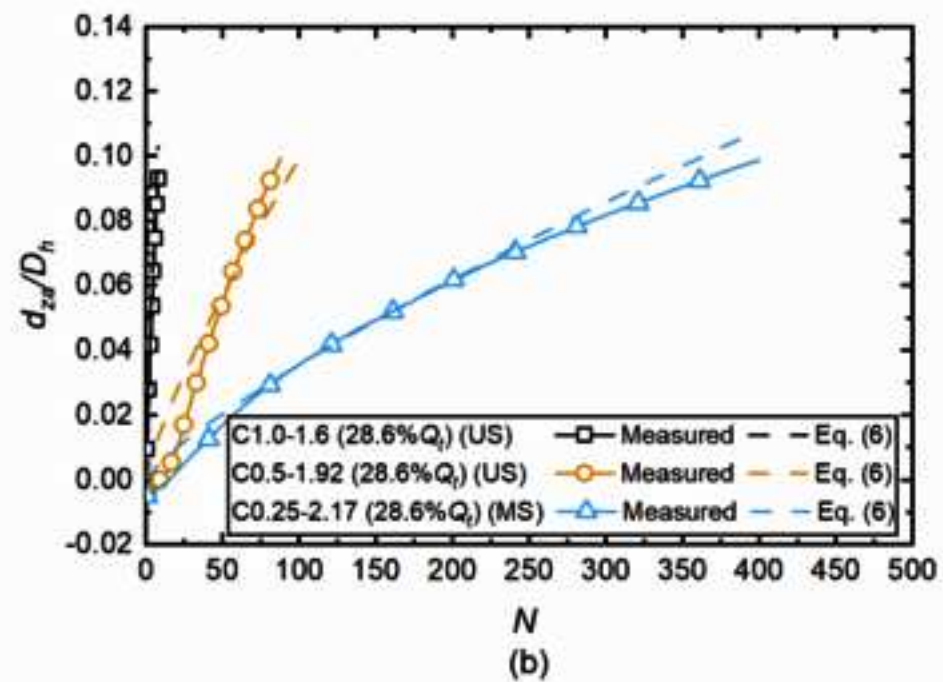
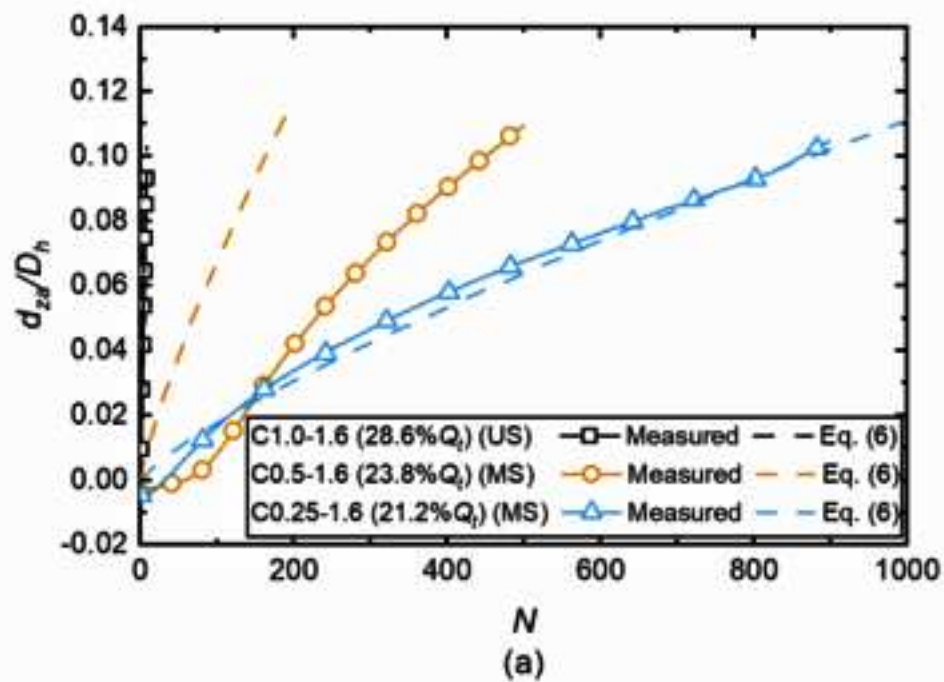
(b)

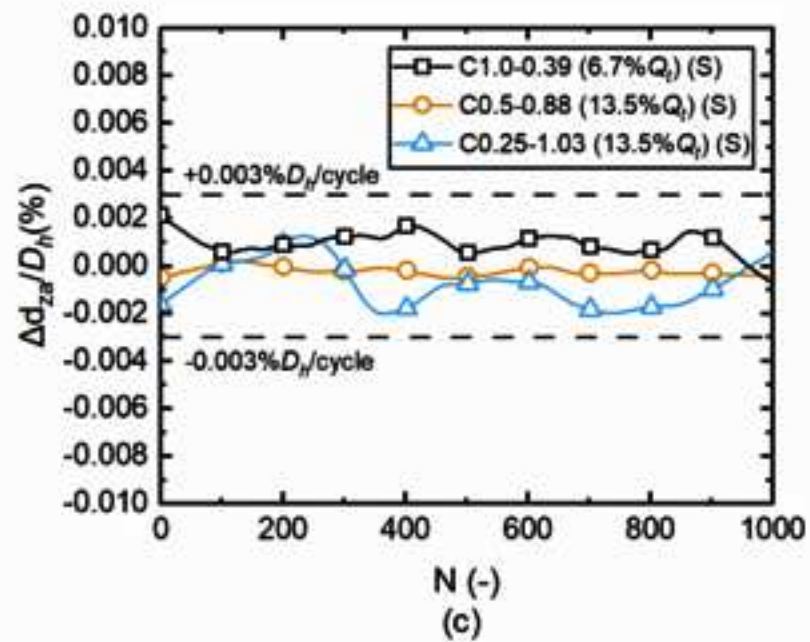
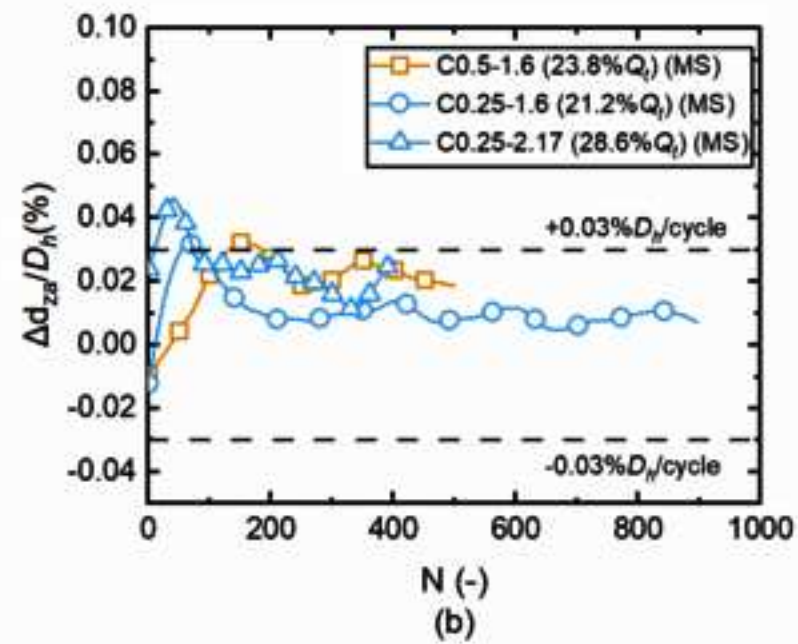
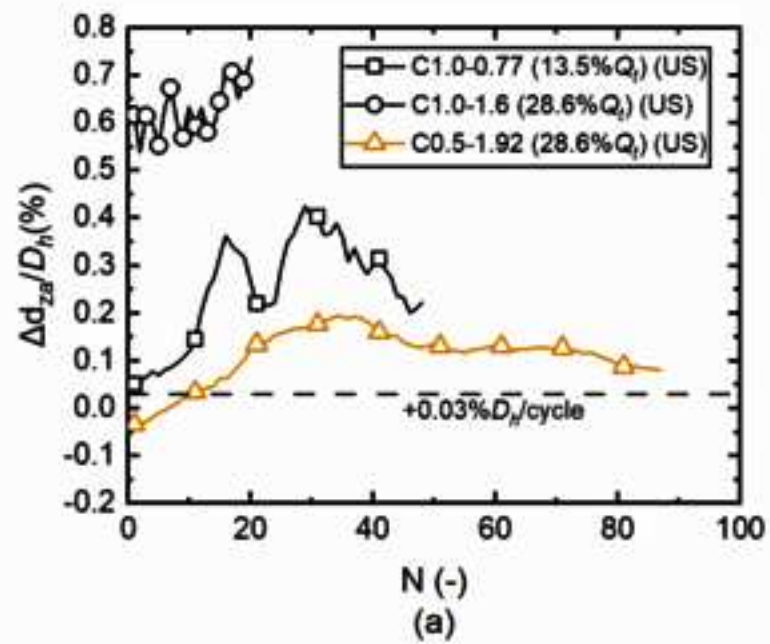


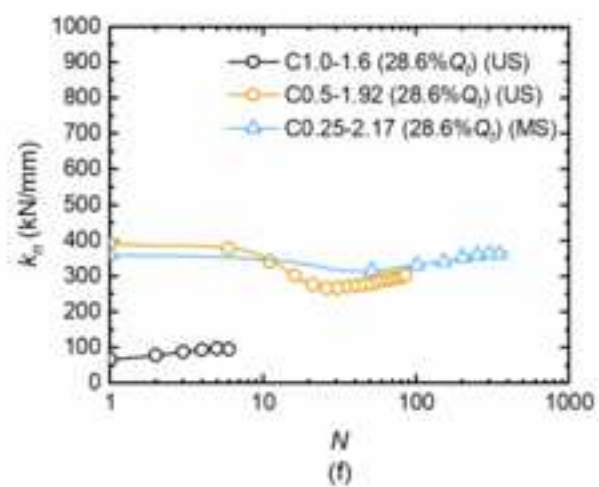
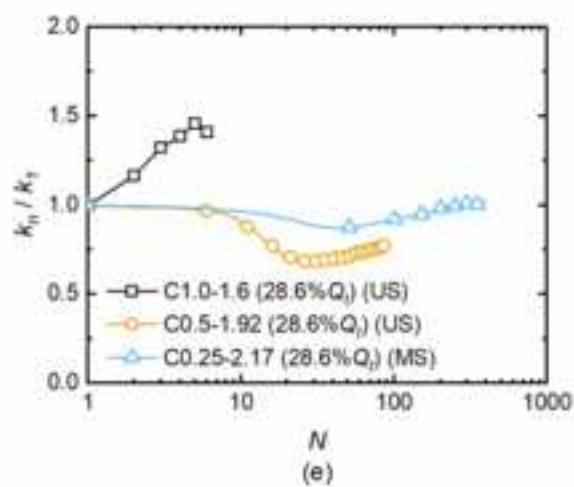
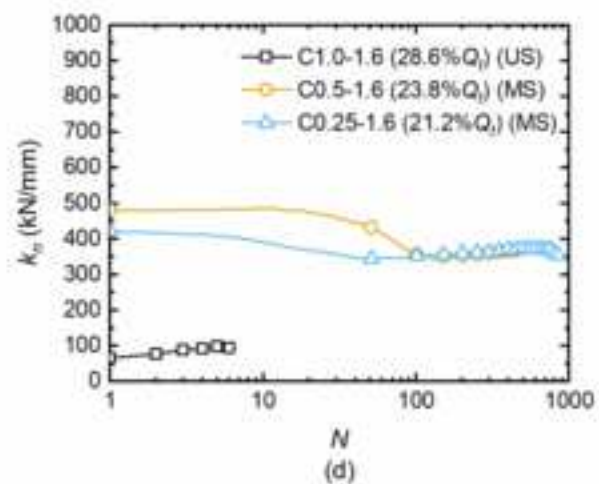
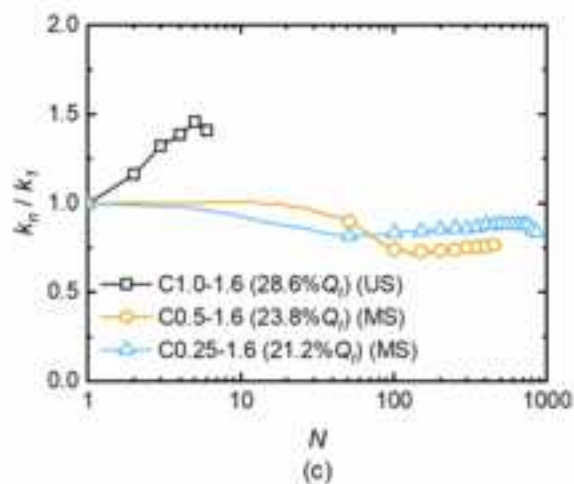
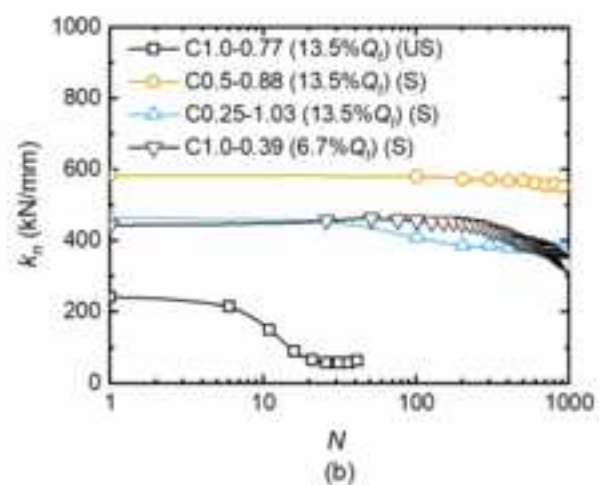
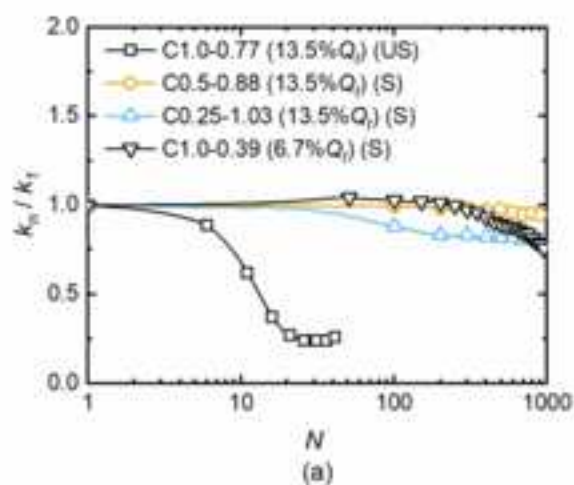


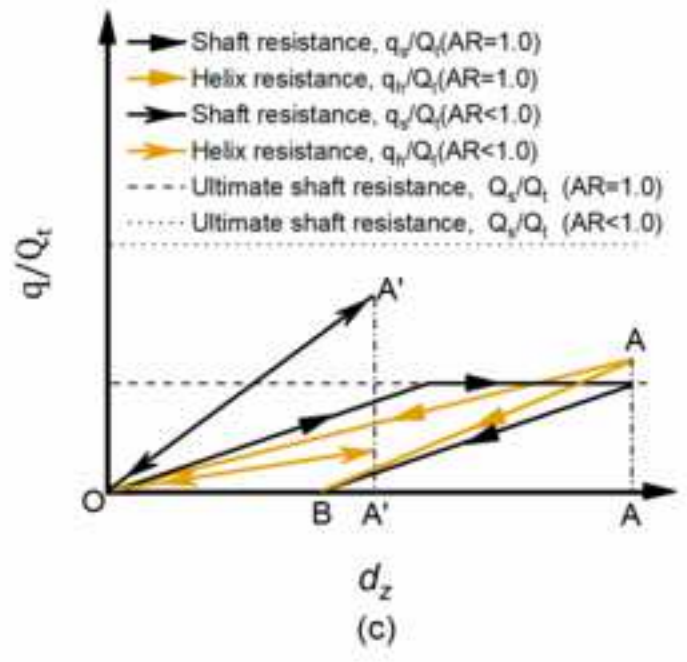
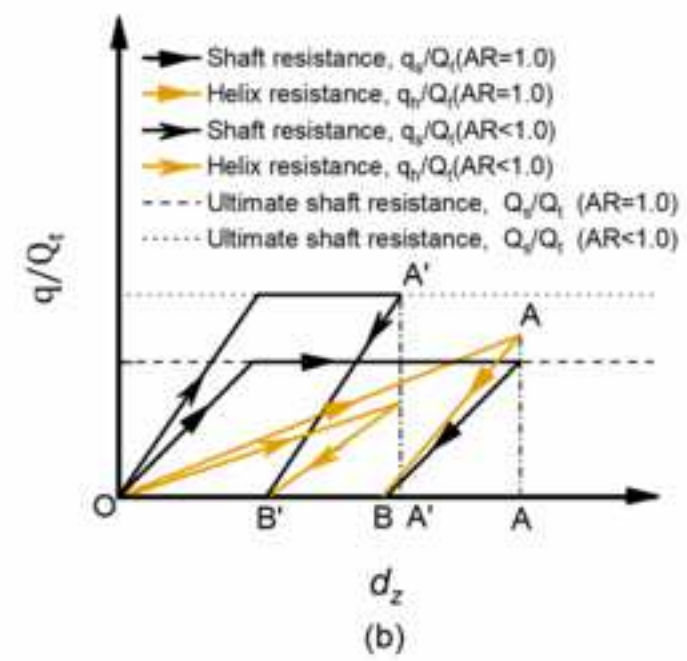
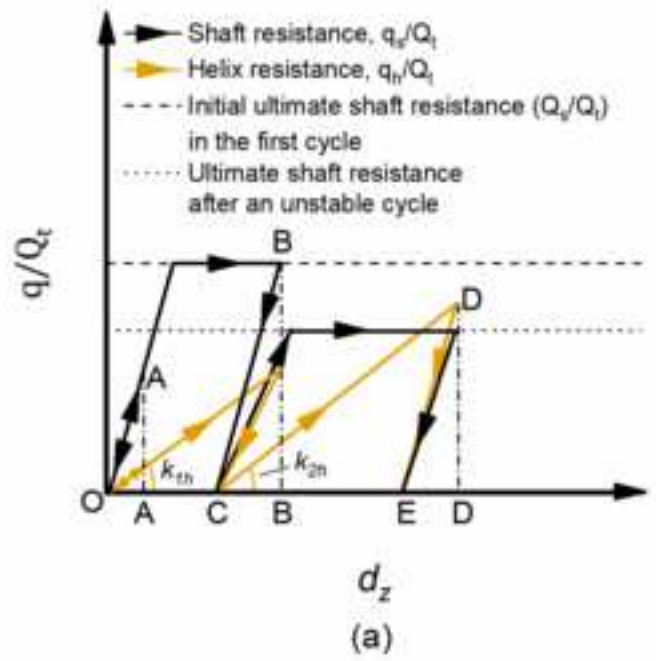


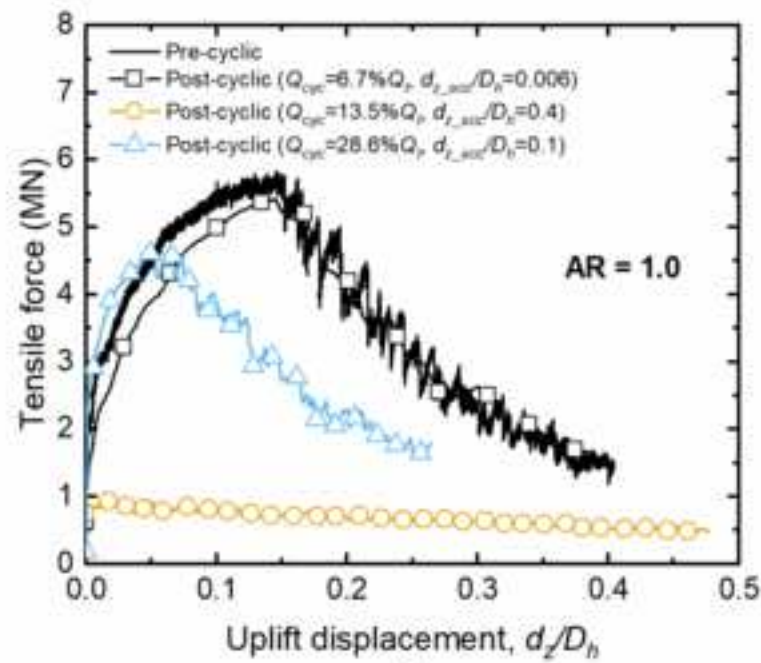




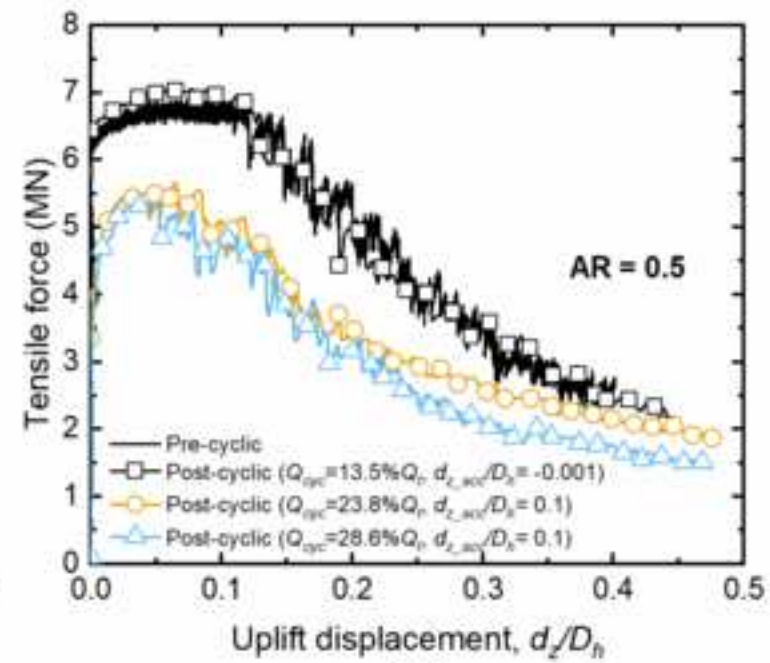




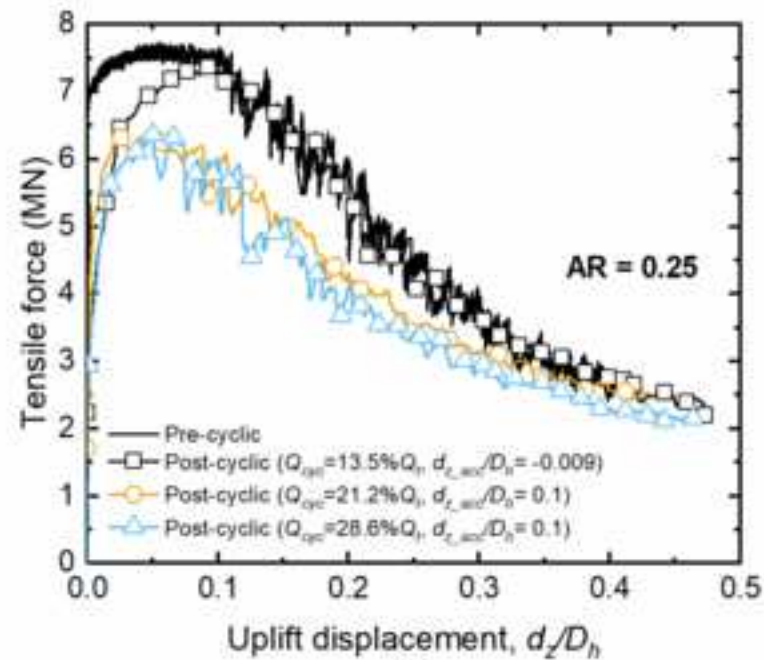




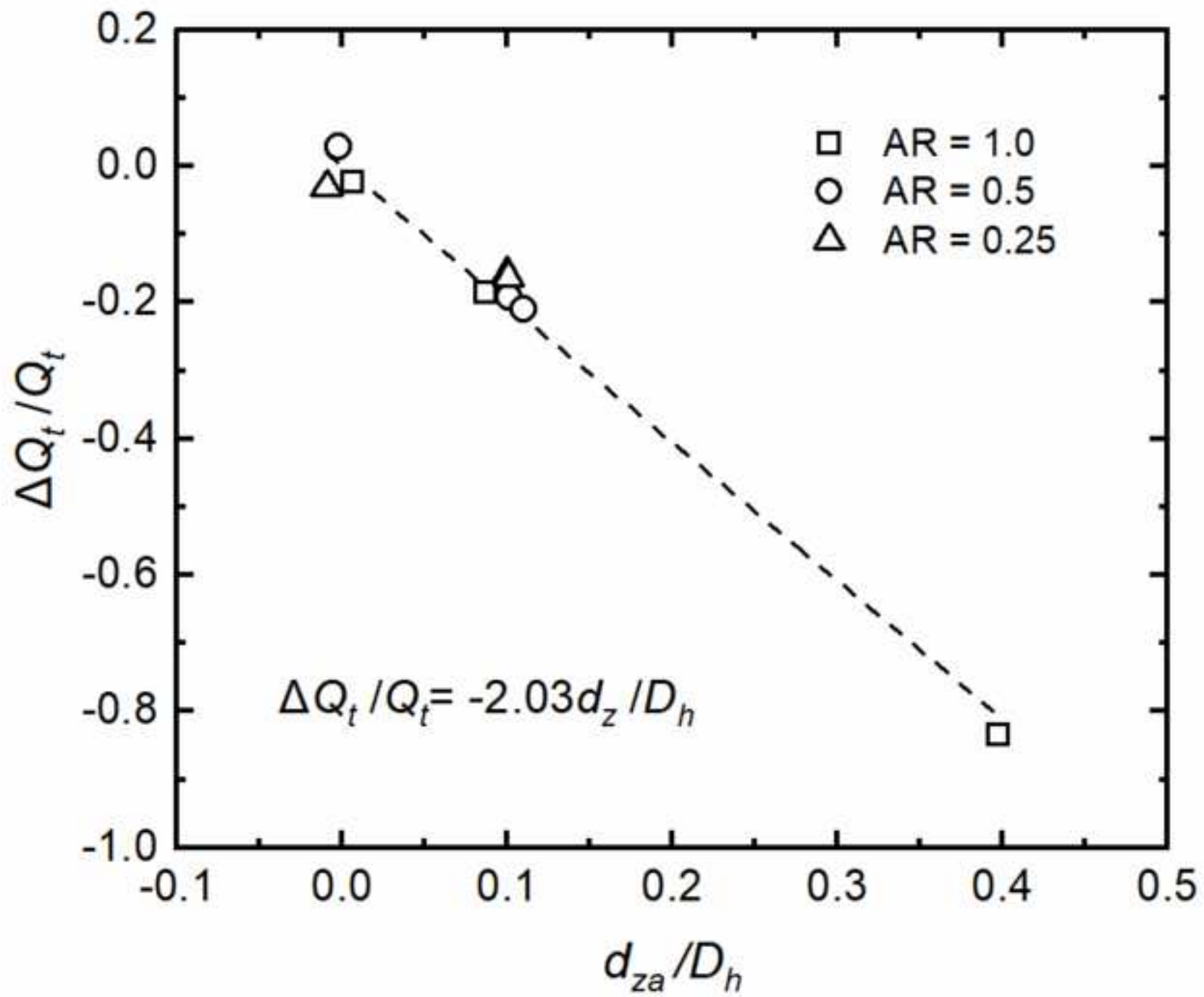
(a)

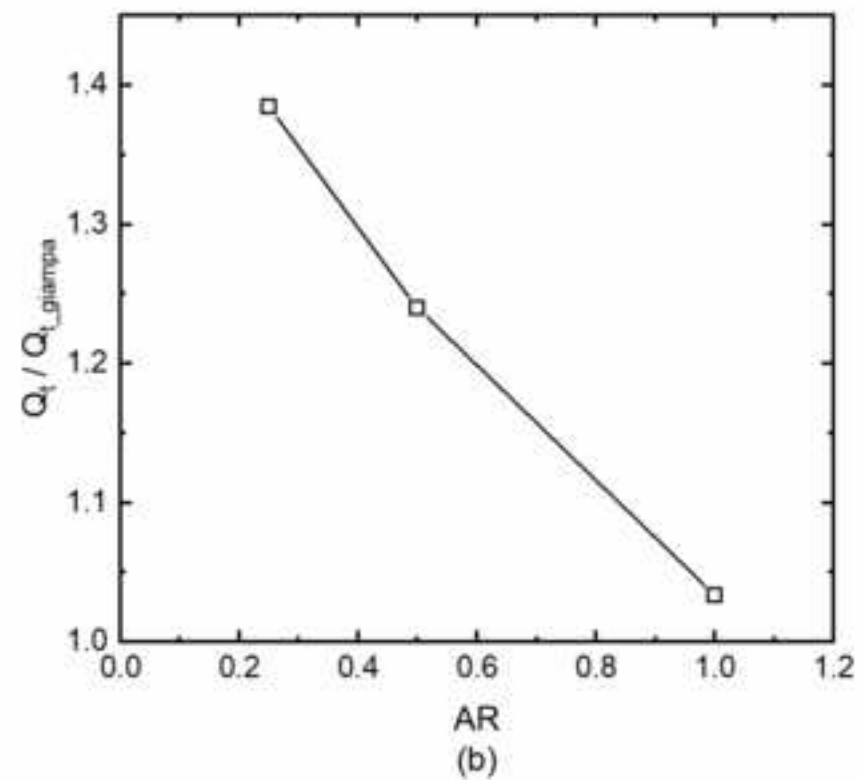
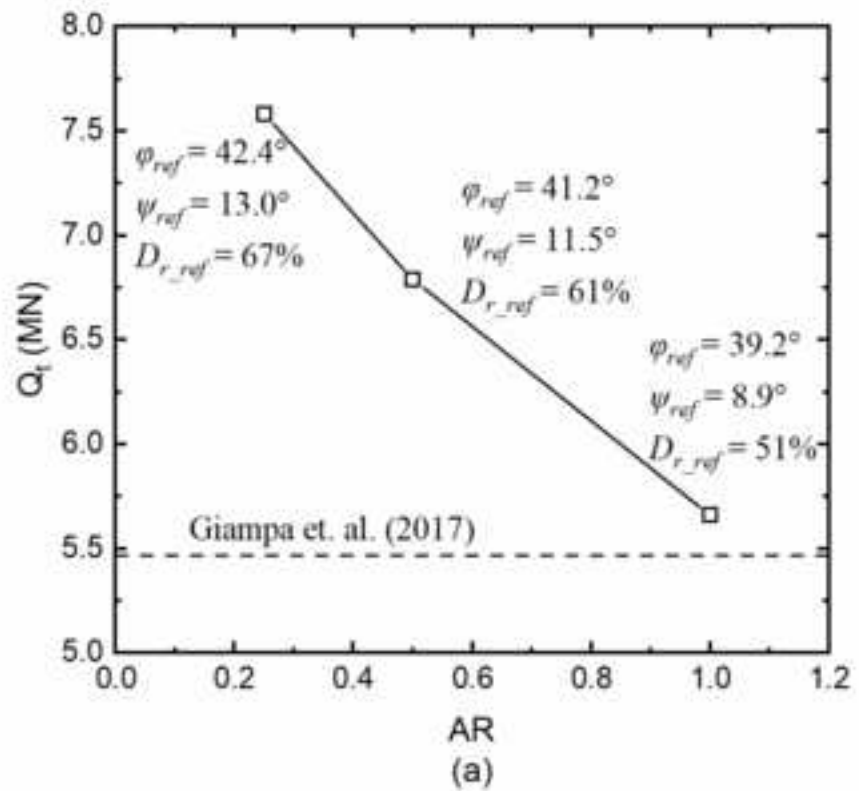


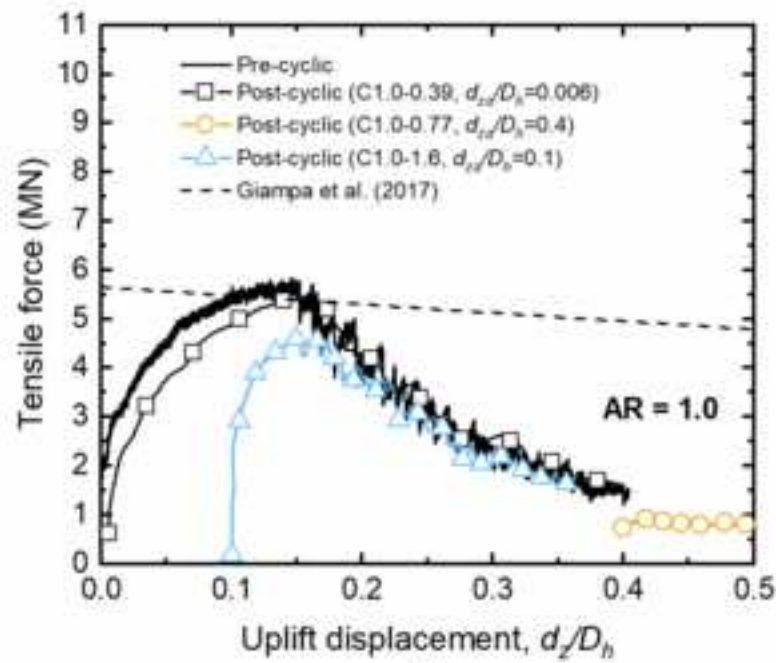
(b)



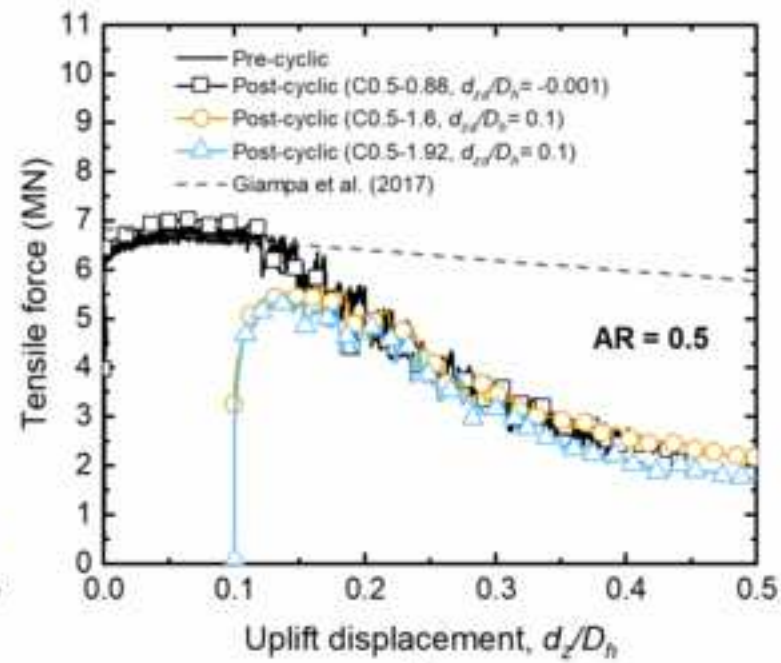
(c)



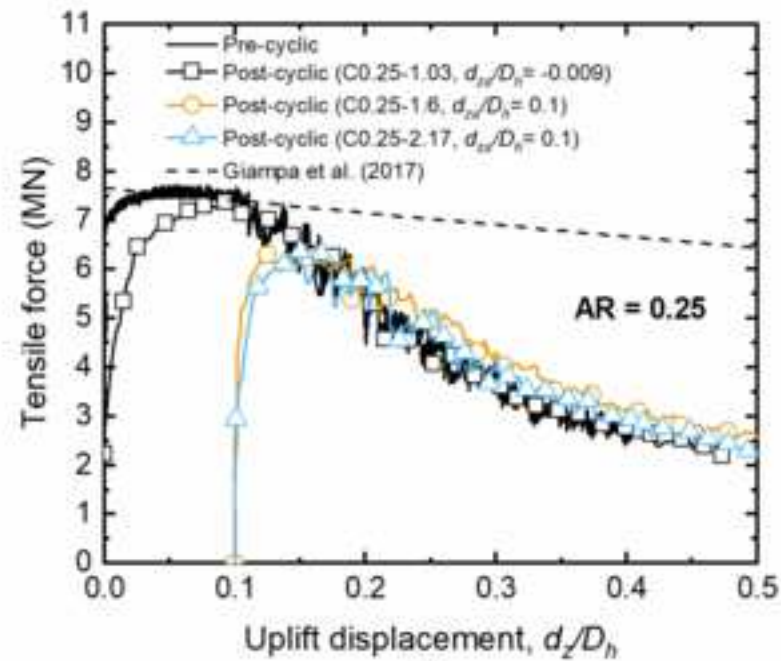




(a)



(b)



(c)

